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EXPERIMENTS ON TURBULENCE FROM COLLIDING ICE FLOES

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ABSTRACT

1 Increased knowledge about energy dissipation processes around colliding ice floes is important for
2 improved understanding of atmosphere-ice-ocean energy transfer, wave propagation through sea ice
3 and the polar climates. The aim of this study is to obtain such information by investigating colliding
4 ice floe dynamics in a large-scale experiment and directly measuring and quantifying the turbulent
5 kinetic energy (TKE). The field work was carried out at Van Mijen Fjord on Svalbard, where a
6 3×4 m ice floe was sawed out in the fast ice. Ice floe collisions and relative water-ice motion was
7 generated by pulling the ice floe back and forth in an oscillatory manner in a 4×6 m pool, using two
8 electrical winches. Ice floe motion was measured with a range meter and accelerometers, and the
9 water turbulence was measured acoustically with Doppler velocimeters and optically with a remotely
10 operated vehicle and bubbles as tracers. Turbulent kinetic energy spectra were found to contain an
11 inertial subrange where energy was cascading at a rate proportional to the $-5/3$ power law. The TKE
12 dissipation rate was found to decrease exponentially with depth. The total TKE dissipation rate was
13 estimated by assuming that turbulence was induced over an area corresponding to the surface of the
14 floe. The results suggest that approximately 37% and 8% of the input power from the winches was
15 dissipated in turbulence and absorbed in the collisions, respectively, which experimentally confirms
16 that energy dissipation by induced turbulent water motion is an important mechanism for colliding
17 ice floe fields.

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18 **1 Introduction**

19 A decline in the Arctic ice cover has been observed over the past decades (Feltham 2015), which has allowed for more
20 human activities in the region, such as shipping, tourism and exploitation of natural resources (Smith & Stephenson
21 2013). Better predictions of sea ice hazards are necessary to ensure safe operations in the Marginal Ice Zone (MIZ). The
22 MIZ is the transition between the land fast ice or dense pack ice and the open ocean, which consists of a distribution of
23 discrete ice floes at various concentrations, with dimensions varying from meters to hundreds of meters in length and
24 tens of centimeters to meters in depth (Rottier 1992). On the one hand, the retreating ice cover leads to larger areas of
25 open water in the Arctic where more energetic waves are generated due to the increased fetch, which in turn enhance
26 ice break up processes (Thomson & Rogers 2014). On the other hand, experimental and theoretical studies have shown
27 that waves are exponentially damped in the MIZ (Weber 1987, Wadhams et al. 1988), meaning that the presence of the
28 MIZ mitigates ice cover break up. This interplay illustrates that wave-ice interactions, which are coupled in a nonlinear
29 manner, are key mechanisms for the Arctic. There is uncertainty associated with the dominating source of wave energy
30 dissipation by sea ice, which depends on both the wave and the ice conditions (Shen 2019). Increased knowledge about
31 these physical processes, and hence atmosphere-wave-ice-ocean energy transfer, may improve sea ice dynamics models
32 used for wave forecasts and climate modeling.

33 Several phenomena are known to attenuate waves in an ice floe field, such as wave scattering or directional spreading
34 and viscous dissipation in the boundary layer below the ice due to shear flow or wake formation caused by a relative
35 velocity between the water and the ice (Wadhams 1975, Liu & Mollo-Christensen 1988, Herman 2021). Scattering,
36 which contributes to wave decay due to energy reflection and spreading, is known to be of importance in open floe
37 fields where the floe diameter is of the same order as the ocean wavelength (Squire et al. 1995). Ice floe interactions
38 can lead to wave energy dissipation through different mechanisms and are of relevance in denser floe fields. Several
39 theoretical models that attempt to describe ice floe motion in periodic wave fields, assume that floes follow the wave
40 orbital velocities at the free surface (Rottier 1992), with the gravity force pulling them down the sloped wave surface
41 (Shen & Ackley 1991). As a result, ice floes respond in surge when acted upon by wave trains entering the MIZ, and
42 periodically recurring collisions between adjacent floes may occur if the floes are sufficiently close since they are
43 moving out of phase with each other (Shen & Ackley 1991, Rottier 1992, Squire et al. 1995). Collisions between
44 neighboring ice floes can, for example, cause momentum transfer and energy absorption during the impulse (Shen &
45 Squire 1998, Herman 2018, Li & Lubbad 2018, Herman et al. 2019). Rabault et al. (2019) showed from wave tank
46 experiments that colliding chunks of grease ice can generate turbulence that injects eddy viscosity in the water, which
47 leads to enhanced energy dissipation. However, scaling problems in, for example, Reynolds number, size ratios and
48 frequency ratios are inevitable in laboratory experiments, which raises the need for performing full-scale measurements
49 outside of the laboratory (see e.g., Rabault et al. (2019) for a discussion on the topic). It would be challenging to
50 reproduce a full-scale ice floe and preserve the size ratio with respect to the ice thickness in a laboratory. For example,
51 in HSWA (Hamburg Ship Model Basin), the ice thickness is usually up to a few 10s of cm (Marchenko et al. 2021).

52 Mathematical models have been developed to describe wave attenuation in the MIZ, e.g., the viscoelastic model of
53 Zhao & Shen (2018) and the viscous models of Sutherland et al. (2019) and Marchenko et al. (2019a). Sutherland
54 et al. (2019) leave freedom of interpretation of the effective viscosity while Marchenko et al. (2019a) associate the
55 effective viscosity with the eddy viscosity. These models rely on physical parameters, e.g., the effective viscosity, that
56 may be adjusted through curve-fitting exercises to match experimental data, although they may lack direct proof of
57 which phenomena that are of importance. By contrast, direct observations on the full scale can describe in detail the
58 dissipative mechanisms occurring. There are few in situ observations of the water kinematics around interacting ice
59 floes because the harsh conditions make field work challenging, and there is a need for more observations (Shen 2019).
60 Voermans et al. (2019) managed to measure under-ice turbulence in pancake and frazil ice generated from the relative
61 velocity between the ice and the orbital wave motion and suggested that turbulence-induced wave attenuation was
62 similar to total wave attenuation. This means that the influence of floe-floe collisions on wave attenuation was very
63 small in the experiments of Voermans et al. (2019), although they did not directly discuss this mechanism. Marchenko
64 et al. (2015) measured turbulence under continuous drift ice and found that the main source of under-ice turbulence was
65 associated with water motion relative to the ice caused by tidal current and wind drift of the ice. However, the effect of
66 turbulent dissipation around larger interacting ice floes, typically found in the Greenland Sea and Arctic MIZ, has not
67 been previously confirmed experimentally.

68 In this study, direct observations of the turbulent kinetic energy (TKE) dissipation rate in the immediate vicinity
69 of a colliding full-scale ice floe are presented for the first time. A high level of control over the floe motion and
70 the surrounding water velocity was obtained from an extensive instrumentation, which would have been extremely
71 challenging to deploy in the dynamic and hazardous environment of the MIZ. Hence, an outdoor laboratory on an
72 ice-covered fjord was installed as a compromise between realistic scale and high level of control. An ice floe was cut
73 out from the land fast ice. The ice floe was towed back and forth to generate relative water-ice flow and collisions
74 with the fast ice. The experimental setup was similar to that of Marchenko et al. (2021a), who measured turbulent
75 properties with an acoustic Doppler velocimeter (ADV). The novelty of the current experiment is the use of an acoustic
76 Doppler current profiler (ADCP), which enabled the authors to estimate the TKE dissipation rate on several locations
77 to quantify the importance of turbulence induced from collisions and shear flow, and the use of a remotely operated
78 vehicle (ROV) which, together with a bubble seeding system, allowed the authors to observe 2D water kinematics
79 under the ice. As the ice floe approached the fast ice, fluid was expelled as a planar jet from the closing orifice into the
80 quiescent fluid below the ice, causing free shear turbulence due to the velocity shear between the entering and ambient
81 fluids (Layek & Sunita 2018, Cafiero & Vassilicos 2019, Arote et al. 2020). Large-scale vortex structures in a plane jet
82 cause momentum transfer into the ambient fluid (Breda & Buxton 2018, Takahashi et al. 2019). Energy dissipated in
83 collisions was determined from high resolution accelerometer data. The extensive instrumentation allowed for control
84 of input energy rates and thus estimates of a floe energy balance.

85 The paper is organized in the following manner. Experimental setup, data acquisition and processing methods are
86 described in Sec. 2. Section 3 contains a mathematical description of the problem. The results in Sec. 4 are presented as

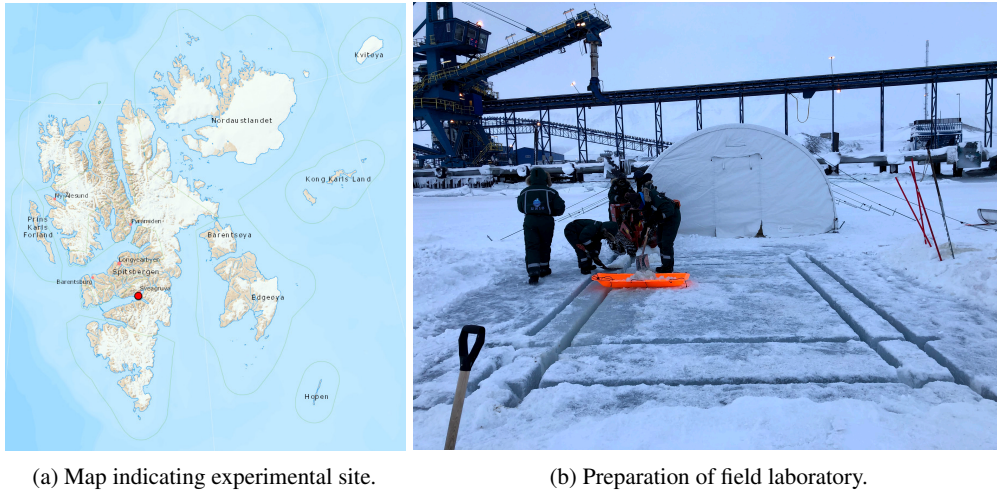


Figure 1: Location and preparation of the field laboratory. a) A map of the Svalbard archipelago (red dot indicates the location of the experimental work). Source: TopoSvalbard (2021). b) The working process of cutting the ice. The frame between the outer and inner rectangle was removed to create a floating ice floe in a pool. Afterwards, the inflatable tent in the background was placed over the pool for weather protection.

87 an energy budget where the rate of energy input is compared with the rate of dissipation. Finally, a discussion on the
 88 accuracy and implications of the results follows in Sec. 5, and the concluding remarks are given in Sec. 6.

89 2 Data and methods

90 The field work was carried out next to the harbor in the Svea Bay on Svalbard on March 3-12, 2020. The location is
 91 indicated with a red dot in Fig. 1a and the geographical coordinates were 77.86°N , 16.65°E . Svea Bay is part of the Van
 92 Mijen Fjord which was covered with land fast ice at the time of the field campaign (see Marchenko et al. (2021b) for
 93 details on ice properties). An ice floe was made at the selected site where the ice thickness was approximately 1 m.
 94 Figure 1b shows an outer and an inner rectangle measuring 6×4 m and 4×3 m, respectively, which were cut through the
 95 sea ice by means of a walk-behind chain trencher and hand saws. The ice between the two rectangles were broken into
 96 manageable blocks and removed with chains and hoists installed on a quadpod lifting rig, resulting in a floating ice floe
 97 in a pool. A 10×6 m inflatable tent was placed over the pool for weather protection and equipped as a field laboratory.
 98 A coordinate system, shown in Fig. 2, was defined with the (x, y, z) -axis to be aligned horizontally in the axial and
 99 transverse direction of the pool and vertically in upward direction, respectively. The coordinate system is consistent
 100 throughout the text. The x -axis was oriented with an angle $\alpha = 28^{\circ}$ counterclockwise from the magnetic north. Hence,
 101 the short ends of the pool were defined as the north and south ends. The origin was defined as $x = 0$ at the pool south
 102 end, $y = 0$ at the pool center and $z = 0$ at the bottom of the ice. The coordinate system included in Fig. 2a is displaced
 103 along the z -axis to the top side of the ice for increased readability. The floe dimensions L_f , W_f and H_f in the x , y and
 104 z -directions were 4, 3 and 1 m, respectively.

Experiment	Cycles [N]		ADCP		Load cell
	Total	ADV	Cells [N]	Position	
1	15	15	95	1	-
2	14	14	39	1	-
3	11	5	95	1	✓
4	28	20	39	2	-
5	7	5	39	2	-
6	8	-	39	3	-

Table 1: Experimental details and instrument settings. The different ADCP positions are indicated in Fig. 2b.

105 At the location of the field laboratory, there was negligible wave energy. Therefore, two electrical winches were used to
 106 tow the ice floe back and forth in an oscillatory manner in the x -direction to generate relative water-ice motion and
 107 collisions with the fast ice. One period of oscillation, i.e., the floe motion back and forth, will be referred to as a *cycle*.
 108 The winches were mounted to the fast ice by means of ice screws, one on each short end, approximately 3 m from the
 109 pool at $y = 0$. A wooden frame was attached to the floe with ice screws and the winch wires were coupled to the frame
 110 via a polyester silk rope as illustrated in Fig. 2a to distribute the winch load over a large area of the floe surface. The
 111 winches were alternating in pulling and slacking and were manually actuated by two persons.

112 2.1 Instrumentation

113 Six experiments, summarized in Table 1, are included in this paper. The only variables that were changed between
 114 the experiments were the number of cycles, the position and cell configuration of the ADCP and the inclusion of a
 115 load cell and accelerometers. All other parameters, such as the towing speed and the duration of the cycles, were kept
 116 approximately constant in all the experiments. The similar setup was used several times to investigate the repeatability
 117 of the experiments.

118 Several sensors and instruments were installed on the south end of the pool, as shown in Fig. 2, to measure the ice floe
 119 and water motion. An evo60 LED (light-emitting diode) range meter was pointing towards a large box placed on the
 120 floe, which provided time series of the floe surge, i.e., displacement in the x -direction. The sample frequency of the
 121 range meter was approximately 125 Hz and the raw data were smoothed with a moving average over 200 data points.
 122 The computer that was used to control the range meter was synchronized with Internet time each day. The ice floe
 123 velocity in the x -direction was found from the smoothed position with a central difference scheme. An example of a
 124 time series from the range meter, where the floe undergoes 11 full cycles, is displayed in the upper panel of Fig. 3. The
 125 floe was displaced approximately 1.7 m and the maximum towing velocity V_{max} was constant and about 0.15 m/s in
 126 each direction. The oscillating period in ice floe surge T_s , i.e., the duration of one cycle, was around 26 s.

127 During Exp. 3, a load cell (PCM BD-ST-620) was mounted in the coupling between the winch wire and the polyester
 128 silk rope. Only one load cell was available, and it was installed at the south end of the pool, which means that it
 129 measured towing force applied by the winch on the ice floe in the $-x$ -direction. In the same experiment, two uniaxial

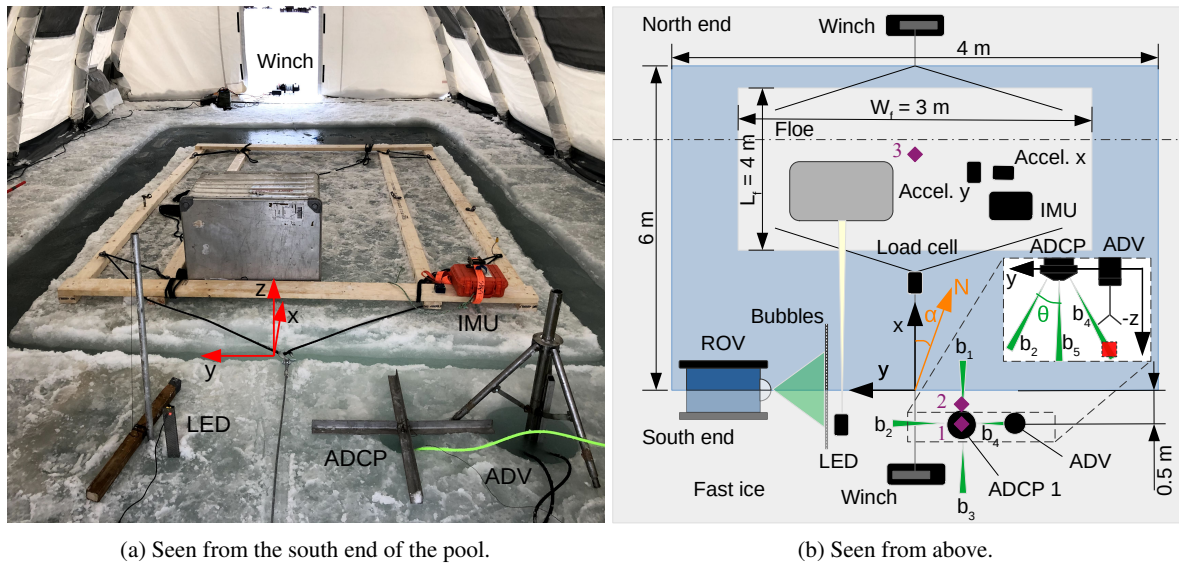


Figure 2: Experimental setup. a) Photo of the setup seen from the south end of the pool. The defined coordinate system is indicated (although displaced from the origin along the z -axis to the top side of the ice for the illustrative purpose). The load cell and the uniaxial accelerometers were not installed during this particular experiment. b) Schematic of the setup in the xy -plane, where the dot-dashed line indicates image compression in the longitudinal direction. Magnetic north (N) is indicated. The various positions of the ADCP are indicated with purple diamonds and are labeled with numbers, where the distance from the pool edge to Position 1 and 2 are 0.50 and 0.25 m, respectively, and Position 3 is the center of the ice floe. The inset sketch shows the acoustic instruments in the yz -plane and the measurement volume of the ADV is marked with a red square, which coincides with a part of the ADCP b_4 .

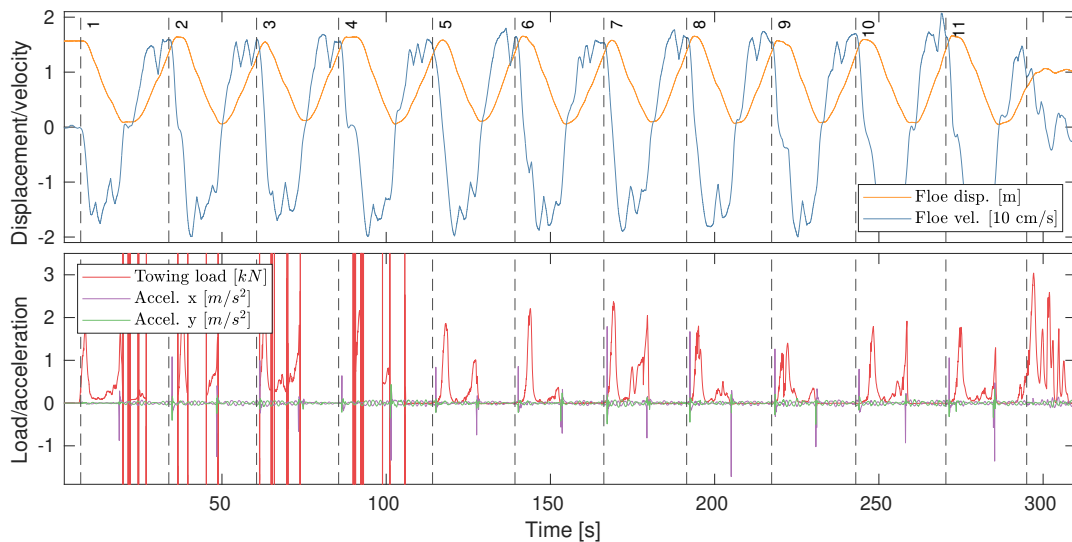


Figure 3: Time series from Exp. 3 where the cycles are marked with numbers and separated with vertical dashed lines. Upper panel: range meter data with smoothed displacement and velocity of the ice floe in the x -direction. Lower panel: load cell and uniaxial accelerometers. Note that Cycles 2-4 contain severe load cell dropouts.

Instrument	Sample freq. [Hz]	Moving avg. [N]	Synchronization	Common freq. [Hz]
Range meter	125	200	◆	1000
Load cell	5000	500	◆	1000
Accelerometer	5000	500	◆	1000
IMU	10	-	◆	-
ADCP	8	10	★	80
ADV	10	10	★	80
ROV	30	-	-	-

Table 2: Instrument configurations and synchronization. The range meter, IMU, ADCP and ROV were synchronized with Internet time each day. The symbols indicate the instruments that were synchronized in time in the post-processing.

130 accelerometers (Bruel and Kjaer, DeltaTron Type 8344) suitable for collision measurements, were mounted on the
131 floe, one aligned with the $-x$ -direction and the other with the y -direction, as seen in Fig. 2b. The sampling frequency
132 of the load cell and the accelerometers was 5 kHz and the signals were smoothed with a Savitzky-Golay filter over
133 500 data points. An example of a time series from the load cell and the uniaxial accelerometers is displayed in the
134 lower panel of Fig. 3, where the accelerometer data contain two high-amplitude events per cycle, corresponding to
135 collision with the fast ice, and low-amplitude oscillations with a period around 2 s in between, possibly associated
136 with surface waves in the pool. The load cell and the two accelerometers were connected to the same data acquisition
137 unit and were therefore synchronized. However, the computer used to control the instruments was not synchronized
138 with Internet time. In the post-processing, it was necessary to synchronize the range meter and load cell data in time,
139 as there was a mismatch between the computer clocks. Table 2 lists the instruments that were synchronized in the
140 post-processing, their sampling frequencies and smoothing parameters. Details on the synchronization scheme for the
141 instruments marked with diamonds in Table 2 can be found in Appendix A.

142 Ice floe motion was also measured with a VN-100 IMU (inertial motion unit) manufactured by VectorNav. The
143 instrument was installed in a rugged box with batteries and a processing unit, see Rabault et al. (2020) for details. The
144 IMU contained a three-axis accelerometer, gyroscope and magnetometer, and allowed for surveillance of all six rigid
145 body motion modes. An integrated GPS tracker provided correct GPS timestamps to the measurements. The sampling
146 frequency was 10 Hz. By examination of the IMU data, it was found that surge was the predominant rigid body motion
147 mode of the ice floe. This is not surprising since the towing was performed in this direction. Some motion was also
148 observed in the other horizontal modes, sway and yaw, i.e., translation in the y -direction and rotation about the z -axis,
149 respectively, as the floe did not move perfectly parallel to the pool walls. The motion in the vertical modes, heave,
150 roll and pitch, was found to be negligible in comparison with the horizontal motion. The surge and heave motions are
151 compared in Fig. 15 in Appendix B.

152 A five beam Nortek Signature1000 (kHz) broadband ADCP was utilized to measure the water velocity in the vicinity
153 of the ice floe. The instrument was operated in the pulse coherent mode, also known as the *high-resolution mode*
154 that enables very small cell size on all beams, which is desirable for turbulence measurements. It was mounted

155 downward-facing through a hole in the fast ice from a specially constructed frame, so that the transducer head was 3 cm
 156 below the bottom of the ice (i.e., at $z = -3$ cm). The x -position was either -0.50 m or -0.25 m and the y -position was
 157 -0.50 m. In Exp. 6, the ADCP was placed on the ice floe center. The instrument has one vertically oriented beam \mathbf{b}_5 ,
 158 which was pointing in the $-z$ -direction, and four slanted beams $\mathbf{b}_1 - \mathbf{b}_4$ diverging at $\theta = 25^\circ$ from the vertical. The
 159 horizontal components of $\mathbf{b}_1 - \mathbf{b}_4$ were pointing in the x , y , $-x$ and $-y$ -direction, respectively, as seen in Fig. 2b.
 160 Water velocity along the five beam directions (positive direction was radially away from the instrument) is denoted b_j
 161 for $j = 1, 2, \dots, 5$.

162 The mean horizontal velocity components due to the tidal current (measured when the floe was not moving) $\langle u \rangle$
 163 and $\langle v \rangle$, corresponding to x and y -directions, respectively, were calculated as $\langle u \rangle = \langle b_1 \sin(\theta) - b_3 \sin(\theta) \rangle$ and
 164 $\langle v \rangle = \langle b_2 \sin(\theta) - b_4 \sin(\theta) \rangle$, where the angle brackets denote time averaging over the duration of the time series. The
 165 mean horizontal current speed U_{mean} was calculated as $U_{mean} = \sqrt{\langle u \rangle^2 + \langle v \rangle^2}$. The ADCP measurement rate was
 166 8 Hz, which is the maximum possible sampling frequency when all the beams are operated. A blanking distance of
 167 10 cm was applied to avoid transducer ringing. The profiling range was 1.9 m and the bin size was either 2 or 5 cm,
 168 which yielded 95 or 39 bins, respectively. The instrument settings and placement are summarized in Table 1.

169 In order to validate the data from the current profiler, a 5 MHz SonTek Hydra ADV was deployed next to the ADCP.
 170 The instrument was mounted through a second hole in the fast ice with the measurement volume centered 58 cm below
 171 the bottom of the ice (i.e., at $z = -58$ cm). The two acoustic instruments were situated in the same x -position and the y -
 172 position of the ADV was carefully selected so that its measurement volume was very close to the ADCP \mathbf{b}_4 , as illustrated
 173 in Fig. 2b. The short distance between the two instruments was possible due to the different acoustic frequencies.
 174 The ADV was configured with a fixed measurement interval with 10 min continuous sampling followed by 1.67 min
 175 down-time. Consequently, not all the cycles were sampled if the instrument down-time coincided with the experiment.
 176 Table 1 lists the total amount of cycles and cycles sampled by the ADV in the experiments. The ADV measurement
 177 frequency was 10 Hz. It was configured to output ENU (east, north and up) velocity components, which were converted
 178 to u and v -components corresponding to x and y -directions, respectively, according to $u = N \cos(\alpha) - E \sin(\alpha)$
 179 and $v = -N \sin(\alpha) - E \cos(\alpha)$. The w -component corresponding to the z -direction was simply $w = U$. The ADV
 180 velocity component vw corresponding to the ADCP b_4 velocity was calculated as $vw = -v \sin(\theta) - w \cos(\theta)$, which
 181 enabled a direct comparison of the time series from the two instruments on the location indicated by the red square in
 182 Fig. 2b.

183 In the post-processing, the ADCP and ADV data were re-sampled to a common sampling rate of 80 Hz and synchronized
 184 in time with a cross-correlation optimization method (marked with stars in Table 2), see Løken et al. (2021b) for further
 185 details. An example of a time series from the acoustic Doppler instruments is shown in Fig. 4, where the ADCP b_4
 186 from the bin closest to the ADV measurement volume and the ADV vw are presented. The instruments agree on the
 187 larger turbulent scales, but there are some discrepancies, especially on the smaller scales. The two presented time series
 188 were recorded spatially very close to each other, but there is of course a limit to how accurately instruments can be
 189 placed in field experiments, and there may have been small variations in the ice thickness which led to small errors in

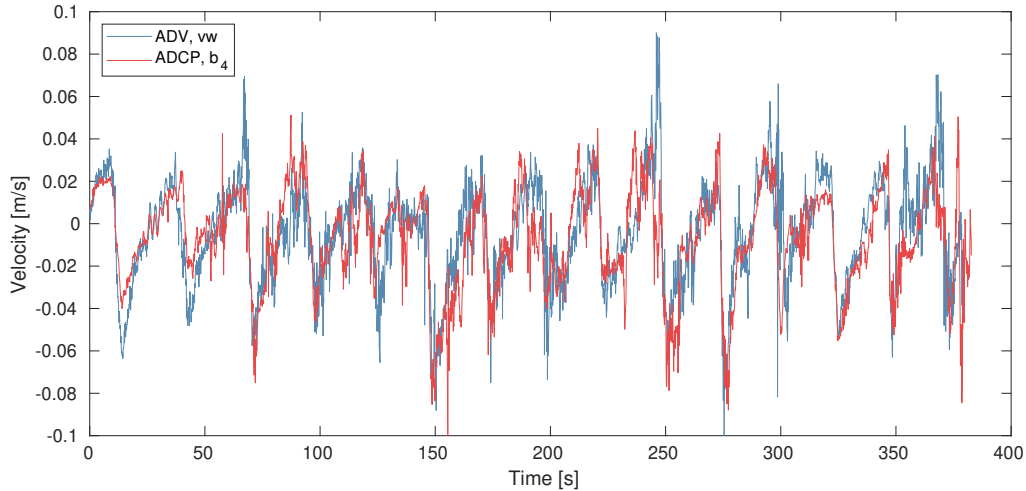


Figure 4: Time series from acoustic Doppler instruments in Exp. 1. The ADCP b_4 is from the bin which is located at the same z -position as the ADV measurement volume. The ADV vw is the velocity component corresponding to the along-beam velocity of the ADCP b_4 . The two measurement volumes were placed as close to each other as possible.

190 the estimated position. In addition, the measurement volumes are different for the ADV and the ADCP, in the order of 1
 191 and 100 cm^3 , respectively. The large-scale fluctuations indicate that the ice floe undergoes 15 full cycles.

192 In addition to acoustic measurements, fluid motion was also visualized with bubbles as tracing particles. Bubbles were
 193 generated from a thin, 0.5 m long carbon fiber pipe perforated every 1 cm on the upward facing side with a 0.1 mm drill
 194 bit. The pipe was fed with air of approximately 0.4 bar from a compressor, via a 5 m long flexible rubber hose. This
 195 configuration provided an array of bubbles with approximately 2-3 mm diameter. The bubble pipe was attached to the
 196 bottom of a metal grid, which was suspended below the ice from strings of thin rope. The bubble pipe was hanging
 197 horizontally, aligned with the x -axis at $z \approx -1$ m. Bubble motion was recorded with the camera of a BlueROV2
 198 (BlueRobotics 2020) remotely operated vehicle, which was steered below the ice with the camera axis perpendicular to
 199 the bubble plane. The frame rate was 30 frames/s and other camera settings such as exposure, brightness and gain were
 200 adjusted to ensure that the bubbles appeared as clear, circular particles. The setup, which is illustrated in Fig. 2b, is
 201 further described and validated in Løken et al. (2021a).

202 2.2 Turbulence analysis

203 Beam correlation is a quality indicator for acoustic velocimeters, which should exceed 50% for the ADCP and 70% for
 204 the ADV per manufacturer recommendation. Some spikes occurred in the time series, typically where the correlation
 205 dropped below the recommended values. Spikes were identified as velocities outside a range of the moving mean
 206 velocity, which was calculated over a sliding window of 10 data points (Marchenko et al. 2021a), ± 3 times the
 207 standard deviation (Nystrom et al. 2007). For the spectral analysis, which requires continuous time series, the identified
 208 spikes were cut where they exceeded the moving mean velocity ± 3 times the standard deviation. In calculations of

209 statistical parameters, such as variance, the spikes were discarded. The fluctuating velocity component in any direction
 210 $u'_i = u_i - \langle u_i \rangle$, where $\langle u_i \rangle$ is the time average over the whole time series, was used in the turbulence analysis. For the
 211 comparison of turbulent properties obtained from the ADCP and the ADV, time series containing the same number of
 212 cycles were used in the analysis, even though the ADCP sampled all the cycles in the experiments (see Table 1).

213 Turbulent kinetic energy frequency spectra, also known as power spectral densities $PSD_w(f)$, where f is the frequency,
 214 were estimated from the vertical fluctuating velocity component w' with the Welch method (Earle 1996), which means
 215 fast Fourier transformation and ensemble averaging of overlapping segments. Each time series was divided into 50 s
 216 segments with 50% overlap and a Hamming window was applied to each segment to reduce spectral leakage. Depending
 217 on the number of cycles recorded in each experiment (5-20), the resulting spectra had approximately 6-28 degrees
 218 of freedom. The TKE frequency spectra represent the distribution of turbulent kinetic energy over the frequencies
 219 $0 < f < f_N$, where f_N is the Nyquist frequency, which was 4 and 5 Hz for the ADCP and the ADV, respectively.

220 Acoustic instruments have intrinsic Doppler noise n in the beam velocity measurements, which is caused when the
 221 Doppler shift is estimated from finite-length pulses (Voulgaris & Trowbridge 1998). The Doppler noise often results in
 222 flat TKE frequency spectra, also known as the noise floor, typically towards the higher frequencies where the turbulent
 223 energy is low. From inspections of both ADCP and ADV data, it was observed that the noise floor was reached close
 224 to the Nyquist frequency. Therefore, the noise floor was found by averaging the 20 highest frequencies of the TKE
 225 spectra, which corresponds to frequencies in the range 3.7-4 and 4.6-5 Hz for the ADCP and the ADV, respectively.
 226 Following Thomson et al. (2012), the noise variance n^2 was estimated by integrating the noise floor over the range of
 227 frequencies $0 < f < f_N$, assuming white noise spectra. The Doppler noise can vary with flow speed and distance from
 228 the transducer, so the ADCP noise variance was therefore estimated for all beams and bins.

229 The velocity variance $\langle u_i'^2 \rangle$ was obtained by squaring and time averaging the fluctuating velocity components. The
 230 Doppler noise was removed from the velocity variance statistically (Lu & Lueck 1999) by subtracting the noise variance,
 231 so that $\langle u_i'^2 \rangle = var(u'_i) - n^2$. Instances that were considered to be spikes or with correlation less than the recommended
 232 values were removed from the time series before the calculations of the velocity variance were made. Following Dewey
 233 & Stringer (2007), the total TKE density TKE was calculated as

$$TK_{ADV} = \rho_w \frac{\langle u'^2 \rangle + \langle v'^2 \rangle + \langle w'^2 \rangle}{2}, \quad (1)$$

$$TK_{ADCP} = \rho_w \frac{\langle b_1'^2 \rangle + \langle b_2'^2 \rangle + \langle b_3'^2 \rangle + \langle b_4'^2 \rangle - 2(2 \cos^2 \theta - \sin^2 \theta) \langle b_5'^2 \rangle}{4 \sin^2 \theta}, \quad (2)$$

234 for the ADV and the ADCP, respectively. Equation 2 combines the variance estimates from the ADCP transducers
 235 according to vector algebra to estimate the Cartesian 3D variance components given in Eq. 1, with the assumption of
 236 homogeneity in variance over distances comparable to the horizontal separation of the bins (Dewey & Stringer 2007).
 237 Note that TKE is related to the average TKE q^2 through the relation $q^2 = TKE/\rho_w$.

238 In a general perspective of solid-fluid interactions, energy is transferred from the shear flow to large turbulent structures,
 239 i.e., the low frequency eddies, where TKE is produced. The low frequency turbulence is considered anisotropic due
 240 to the flow geometry, but as energy cascades to the increasingly smaller structures, the directional dependence is lost,
 241 and the turbulence is considered locally isotropic and homogeneous. Energy is eventually transferred to the smallest
 242 structure of the flow where it is dissipated into heat due to viscosity. The spatial extension of the largest turbulent
 243 structures is expressed through the integral length scale L_{LL} , which is the integral of the spatial autocorrelation function
 244 $a_{LL}(z, r)$ in the vertical direction (see, e.g., Variano & Cowen (2008)). This is the correlation of the time series of a
 245 velocity component with itself at two different points in space, separated by a distance r . The autocorrelation function
 246 is computed from the along-beam velocity component of the ADCP data in the vertical direction as

$$a_{LL}(z, r) = \frac{\langle w'(z - \frac{r}{2})w'(z + \frac{r}{2}) \rangle}{\sqrt{\langle w'(z - \frac{r}{2})^2 \rangle \langle w'(z + \frac{r}{2})^2 \rangle}}, \quad (3)$$

247 where r is aligned with the along-beam coordinate z for the vertical oriented beam \mathbf{b}_5 (Variano & Cowen 2008). Hence,
 248 the applied autocorrelation function is longitudinal as r is parallel to w . The integral length scale at a certain z -position
 249 is then found as

$$L_{LL}(z) = \int_0^\delta a_{LL}(z, r) dr, \quad (4)$$

250 where δ is the lag distance where $a_{LL}(z, r)$ first crosses zero (Greene et al. 2015).

251 Another important turbulence parameter in addition to the TKE density, frequency spectra and integral length scale is
 252 the TKE dissipation rate ϵ . In this paper, the TKE dissipation rate is estimated with three different methods, namely
 253 order-of-magnitude assessment, structure function fit and spectral fit. The latter approach is emphasized herein, but a
 254 comparison of the estimated values from all the methods is presented in Sec. 4. As a first approximation, we used the
 255 order-of-magnitude estimate

$$\epsilon = C_L(2/3q^2)^{2/3}/L_{LL}, \quad (5)$$

256 where $C_L = 0.5$ is a constant (Variano & Cowen 2008) and the values q^2 and L_{LL} were computed from the ADCP
 257 data.

258 Thereafter, the TKE dissipation rate was estimated from structure function fits. The second order longitudinal structure
 259 function D_{LL} of the velocity fluctuations in the vertical direction is calculated as

$$D_{LL}(z, r) = \langle (w'(z - r/2) - w'(z + r/2))^2 \rangle, \quad (6)$$

260 where r is aligned with the along-beam coordinate z for the vertical oriented beam \mathbf{b}_5 . From the restrictions imposed
 261 by the use of the ADCP, r increases incrementally with two times the ADCP bin size. In the inertial subrange, the
 262 second order structure function is related to the TKE dissipation rate ϵ by

$$D_{LL}(z, r) = C_D(\epsilon r)^{2/3}, \quad (7)$$

263 where $C_D = 2.1$ is a constant (Variano & Cowen 2008). Following Guerra & Thomson (2017), ϵ is estimated by solving
 264 $\overline{D_{LL}(z, r)r^{-2/3}|_{r_1}^{r_2}} = C_D\epsilon^{2/3}$, where $r_1 - r_2$ is the range with a slope close to zero in the compensated structure
 265 function $D_{LL}(z, r)r^{-2/3}$, which should be flat in the inertial subrange, and the horizontal bar denotes averaging over
 266 the range of r -values between r_1 and r_2 (indicated by the vertical bar). Minimum six points in the structure function
 267 were used to compute estimates of ϵ .

268 Finally, the method for estimating the TKE dissipation rate from spectral fits is explained. The velocity measurement in
 269 frequency is related to the turbulent wavenumber k through the velocity $\langle w_{adv} \rangle = 2\pi f/k$, that is the time averaged
 270 vertical speed at which the turbulence advect past the measurement instrument. Due to the cyclic flow in the present
 271 experiment, $\langle w_{adv} \rangle$ was nearly zero and is therefore substituted with w_{rms} , which is the root mean square value of
 272 the fluctuating vertical velocity component (Tennekes 1975, Zippel et al. 2018). In the inertial subrange, the flow is
 273 assumed locally isotropic and the TKE frequency spectra should be proportional to $f^{-5/3}$ according to the Kolmogorov
 274 law for developed turbulence (Kolmogorov 1941). Within the inertial subrange, the TKE frequency spectra depend only
 275 on the TKE dissipation rate ϵ and f , which represents the structure size

$$PSD_w(f) = C_S\epsilon^{2/3}f^{-5/3}\left(\frac{w_{rms}}{2\pi}\right)^{2/3}, \quad (8)$$

276 where $C_S = 0.53$ is the universal Kolmogorov constant (Sreenivasan 1995). Equation 8 implies that ϵ can be estimated
 277 from the TKE spectra (Lumley & Terray 1983), provided that the inertial subrange is resolved by the instruments.

278 For the ADCP, a spectrum was estimated for each bin along the vertical beam. Following Guerra & Thomson (2017),
 279 ϵ was estimated in a similar manner as in Eq. 7, i.e., by solving $\overline{PSD_w(f)f^{5/3}|_{f_1}^{f_2}} = C_S\epsilon^{2/3}(w_{rms}/2\pi)^{2/3}$, where
 280 $f_1 = 0.2$ to $f_2 = 1.0$ Hz is the range of frequencies with a slope close to zero in the compensated spectrum $PSD_w(f)f^{5/3}$,
 281 which should be flat in the inertial subrange. The uncertainty in the estimated TKE dissipation rate σ_ϵ is expressed by
 282 propagating the uncertainty in the compensated spectrum

$$\sigma_\epsilon = \frac{3\pi}{w_{rms}C_K^{3/2}}\sigma_{comp}\sqrt{\overline{PSD_w(f)f^{5/3}|_{f_1}^{f_2}}}, \quad (9)$$

283 where σ_{comp} is the standard deviation of the compensated spectrum over the range of frequencies $f_1 - f_2$ (Guerra &
 284 Thomson 2017).

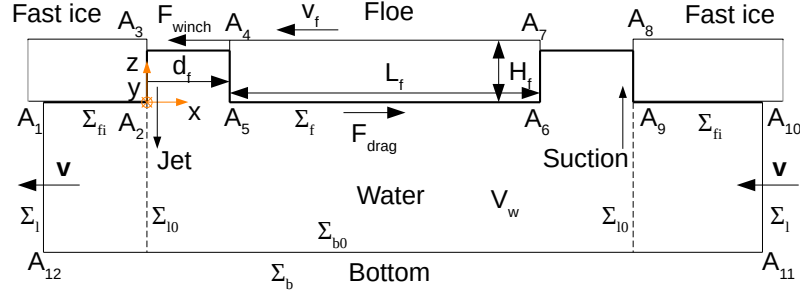


Figure 5: Scheme of the fast ice and floe and the liquid domain below.

285 3 Theoretical background

286 In this section, the moving ice floe and the surrounding water are described theoretically, and the different forces
 287 acting on the floe and the mechanisms of energy input and dissipation are identified. An idealized sketch of the towing
 288 situation is presented in Fig. 5, where an ice floe is free to move inside a pool in the fast ice. The towing force applied by
 289 the winch F_{winch} initiate floe motion and act in the same direction as the axial floe velocity $v_{f,x}$ (at the gravity center
 290 of the floe), whereas the frictional forces applied on the ice floe by the surrounding water F_{drag} act in the opposite
 291 direction. Similarly, power P is transferred to the floe from the winch (P_{winch}) and to the water from the floe (P_{drag})
 292 due to the external forces F , where $P = |Fv_{f,x}|$. The energy balance of the floe can be described by

$$\frac{dK_f}{dt} = P_{winch} - P_{drag} - P_{coll} - P_{other}, \quad (10)$$

293 where $K_f = \sum_{i=1}^3 (mv_{f,i}^2 + I_i\omega_{f,i}^2)/2$ is the kinetic energy of the floe, m and I are the mass and moment of inertia
 294 of the floe, respectively, ω_f is the angular velocity of the floe rotation around the gravity center, t is time, P_{coll} is the
 295 power dissipated in the floe collisions with the fast ice, i.e., the power of the structural energy loss and P_{other} is the
 296 power dissipated in other processes, such as losses in the towline and ice screws and waves radiating away from the floe.
 297 Equation 10 is equal to zero when it is time averaged over the period of the oscillating motion.

298 Now, the water volume V_w around and below the fast ice and floe bounded by the broken line $A_1 - A_{12}$ in Fig. 5 is
 299 considered. The volume boundary Σ consists of the boundary with the fast ice Σ_{fi} , the boundaries of the pool with the
 300 floe passing the points $A_2 - A_9$, the lateral boundaries of the water volume Σ_l and the bottom boundary associated with
 301 the seabed Σ_b . The submerged surface of the floe Σ_f consists of the broken line $A_4 - A_7$. The sea depth is constant,
 302 and the fast ice is extended horizontally to the infinity from the pool. It is assumed that a large-scale pressure gradient
 303 associated with the semi-diurnal tide influences the sea current below the ice with a mean horizontal velocity $\mathbf{v} = \mathbf{v}(z)$,
 304 which generates the background turbulence. According to Landau & Lifshitz (1987a) (Eq. 16.1), the kinetic energy
 305 balance of the water inside the volume V_w is written as follows

$$\frac{dK_w}{dt} = \int_{\Sigma} [\sigma_n - K\mathbf{n}] \cdot \mathbf{v} dS - D_v, \quad (11)$$

306 where K_w is the kinetic energy of the water, σ_n is the stress vector, \mathbf{n} is the outward unit normal vector at the boundary
 307 Σ , K is the density of kinetic energy, $\mathbf{v} = (u, v, w)$ is the water velocity and D_v is the rate of viscous energy dissipation.
 308 The kinetic energy of the water is determined as $K_w = \int_{V_w} K dV$, where $K = \rho_w(u^2 + v^2 + w^2)/2$ and ρ_w is the water
 309 density. The rate of viscous energy dissipation is determined by the formula $D_v = \mu \int_{V_w} (\partial v_i / \partial x_j + \partial v_j / \partial x_i)^2 dV/2$,
 310 where μ is the dynamic viscosity of water.

311 First, the case of a mean, steady flow due to the tidal current below a continuous fast ice is considered, where
 312 $dK_w/dt = 0$ and $K = const$. Semi-diurnal tidal current is not steady since the period is of about 12.42 h, but it
 313 is reasonable to consider it as steady over times that are much smaller than the period, which is the case here. The
 314 subscript s will be used to denote properties due to the steady current. In this situation, i.e., where the ice floe is not
 315 moving, Eq. 11 leads to

$$\int_{\Sigma_l} p_s \mathbf{n} \cdot \mathbf{v}_s dS + D_{v,s} = 0, \quad (12)$$

316 where p is the water pressure. Equation 12 states that the work of water pressure equals the energy dissipation inside the
 317 water volume V_w . The integral in Eq. 12 is negative because the water moves in the opposite direction to the pressure
 318 gradient. The remaining terms from Eq. 11 are zero. It is assumed that $\sigma_n = 0$ at the open surface of water between the
 319 floe and the fast ice. The integral of $K \mathbf{n} \cdot \mathbf{v}$ equals zero if the surface Σ_l is extended far away from the pool where
 320 the influence of the floe on the sea current is small: the integral of $K \mathbf{n} \cdot \mathbf{v}$ equals zero due to symmetry over Σ_l and
 321 because $\mathbf{n} \cdot \mathbf{v} = 0$ at the ice, water and bottom surface over Σ_{fi} and Σ_b .

322 Next, the periodic back and forth motion of the ice floe is introduced. The subscript o will be used to denote properties
 323 due to the oscillating floe motion and the steady current. In this section, angled brackets $\langle \cdot \cdot \cdot \rangle$ are used to describe time
 324 averaging over the period of the oscillating motion T_s . Equation 11 is averaged over T_s , which leads to

$$\int_{\Sigma_l} \langle p_o \mathbf{n} \cdot \mathbf{v}_o \rangle dS - \left\langle \int_{\Sigma_f} \sigma_{n,o} \cdot \mathbf{v}_o dS \right\rangle + \langle D_{v,o} \rangle = 0, \quad (13)$$

325 where the second integral is equal to the power of the floe work to move the surrounding water $\langle P_{drag} \rangle =$
 326 $\left\langle \int_{\Sigma_f} \sigma_{n,o} \cdot \mathbf{v}_o dS \right\rangle$, and $\langle D_{v,o} \rangle$ is the average rate of energy dissipation.

327 It is assumed that $\langle p_o \mathbf{n} \cdot \mathbf{v}_o \rangle \approx p_s \mathbf{n} \cdot \mathbf{v}_s$ over the lateral surface Σ_l in Eqs. 12-13 if Σ_l is extended far away from the
 328 pool where the influence of the floe motion is small. Similarly, it is assumed that $\mathbf{v}_s \rightarrow \mathbf{v}_o$ with increasing distance
 329 from the floe. Subtraction of Eq. 12 from Eq. 13 leads to the equation

$$\langle P_{drag} \rangle = \left\langle \int_{\Sigma_f} \sigma_{n,o} \cdot \mathbf{v}_o dS \right\rangle = \langle D_{v,o} \rangle - D_{v,s}. \quad (14)$$

330 The dissipation rates $\langle D_{v,o} \rangle$ and $D_{v,s}$ can be written as integrals $\langle D_{v,o} \rangle = \int_{\Sigma_b} \langle d_{v,o} \rangle dx dy$ and $D_{v,s} = \int_{\Sigma_b} d_{v,s} dx dy$,
 331 where $\langle d_{v,o} \rangle$ and $d_{v,s}$ are the area densities of the energy dissipation rates, and x and y are the horizontal coordinates.
 332 It is assumed that $\langle d_{v,o} \rangle = d_{v,s}$, far away from the floe. The difference $\langle D_{v,o} \rangle - D_{v,s}$ can be written as a sum

$$\langle D_{v,o} \rangle - D_{v,s} = \int_{\Sigma_{b0}} (\langle d_{v,o} \rangle - d_{v,s}) dx dy + \int_{\Sigma_{l0}} (\langle K_o \mathbf{n} \cdot \mathbf{v}_o \rangle - K_s \mathbf{n} \cdot \mathbf{v}_s) dS, \quad (15)$$

333 where Σ_{b0} is the part of the sea bottom surface below the pool and Σ_{l0} is the vertical cylindrical surface separating the
 334 pool from the fast ice. The first integral on the R.H.S of Eq. 15 describes the energy dissipation rate in the water above
 335 the surface Σ_{b0} , and the second integral equals the kinetic energy transported through the surface Σ_{l0} by the sea current
 336 in unit time and dissipated outside the surface Σ_{l0} .

337 4 Results

338 The results are organized according to Eq. 10, i.e., as an energy balance of the system of interest, consisting of the ice
 339 floe and the surrounding water bounded by the fast ice. The power input to the system from the electrical winches
 340 P_{winch} is compared with the rate of energy dissipation in the floe-wall collisions P_{coll} and the total TKE rate in the
 341 surrounding water due to the floe motion, which is equivalent to P_{drag} . The two former terms are calculated as an
 342 average amount of energy, either as input or consumed per half cycle, and divided by the average duration of a half
 343 cycle to obtain the unit of power, whereas the latter term is estimated from time series of the entire experiments and is
 344 expressed as rate of energy dissipation. The reader is reminded that six experiments are included in this paper, and that
 345 each experiment contained around 10 periods of ice floe towing oscillations T_s , referred to as cycles.

346 4.1 Input energy

347 Range meter and load cell data were combined to investigate the input energy rate to the system of interest. The
 348 instantaneous power input P_{winch} was determined as the product of the floe velocity in the axial direction $v_{f,x}$ and the
 349 towing load applied by the winch F_{winch} . Figure 6 shows a part of the time series including Cycles 5-11 in Exp. 3 as
 350 an example. The cycles are marked with numbers and separated with vertical dashed lines. Negative velocity means
 351 displacement towards the south end of the pool. The load cell only provided information when the towing occurred in
 352 the $-x$ -direction. The work performed by the winch on the ice floe E_{winch} during a half cycle was determined as the
 353 integral of the towing power with respect to time over the time span of the half cycle. This corresponds to the shaded
 354 areas in Fig. 6.

355 In each cycle, there was typically one large peak in towing power from accelerating the ice floe, succeeded by a smaller
 356 peak. The second peak was probably a consequence of additional power input needed to overcome the increasing water
 357 pressure in the closing gap. The shaded areas in Fig. 6 extend in time until collision occurs. When Cycles 1 and 5-11
 358 are considered (Cycles 2-4 contained severe load cell dropouts), the average work applied to tow the ice floe in one

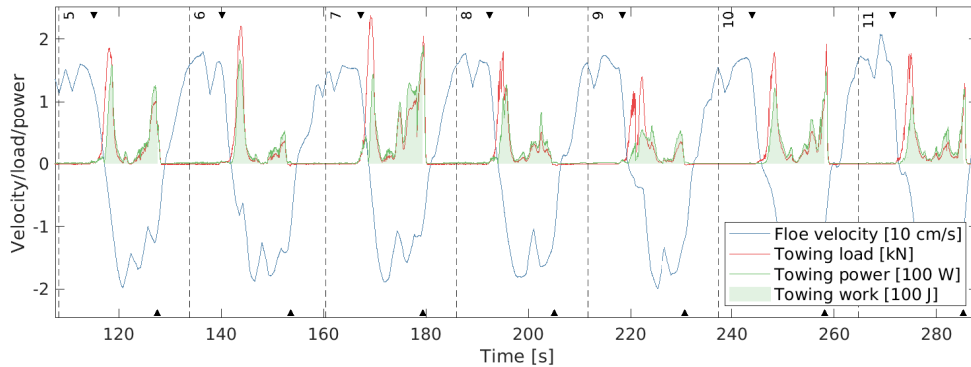


Figure 6: Part of the time series of ice floe translational velocity in the axial direction (blue), towing load (red) and towing power (green) applied by the south end winch, including Cycles 5-11 (marked with numbers and separated with vertical dashed lines) in Exp. 3. Shaded regions indicate towing work. Upward and downward-pointing triangles indicate the time of the collisions on the south and north ends, respectively.

359 direction E_{winch} was 428 J. One half cycle lasted on average 13.3 s, which means that the average power transfer from
 360 the winch to the ice floe was approximately 32.2 W. Due to symmetry arguments, it is assumed that the north end winch
 361 applied equal power to the system as the south end winch. The load cell was only applied in Exp. 3. It is assumed that
 362 the winch input power to the system was similar in Exps. 1-6 due to the consistency in the towing procedure.

363 4.2 Energy dissipation in collisions

364 Collisions between the ice floe and the fast ice are characterized from the uniaxial accelerometers placed on the floe.
 365 The time series of the acceleration in the x -direction from Exp. 3, presented in Fig. 3, reveal periodic recurring spikes,
 366 which correspond to impact events. Two events occurred per cycle, when the floe collided in the south and north ends
 367 of the pool. Figure 7 presents time series of the acceleration and velocity during the collision events in the eighth cycle
 368 of Exp. 3. The velocity was found by numerically integrating the acceleration with respect to time with the cumulative
 369 trapezoidal method. After the integration, a second order Butterworth bandpass filter with cutoff frequencies of 0.05 and
 370 100 Hz was applied to remove any low frequency noise associated with the integration (Sutherland & Rabault 2016).

371 The collision events presented in Fig. 7 are characterized by an initial peak in the acceleration time series, which
 372 corresponds to ice floe deceleration as it approached the ice edge, followed by a smaller acceleration with opposite
 373 sign. The latter acceleration is likely due to rotation of the floe (Marchenko et al. 2021a), which could have happened
 374 if the contact faces were not perfectly parallel at the instance of impact t_{impact} . Following Li & Lubbad (2018), the
 375 time instance of impact t_{impact} occurs at the peak deceleration, and the collision start and end time, t_{pre} and t_{post} , are
 376 determined as $t_{impact} \pm \Delta t$, where Δt is set to 0.06 s from empirical observations. Hence, the duration of the peak
 377 deceleration was 0.12 s (t_{pre} and t_{post} are indicated with vertical dashed lines in Fig. 7) and the entire collision event
 378 including the initial peak deceleration and the successive acceleration lasted around 1 s. Marchenko et al. (2019b) found
 379 from ice block drop experiments that the typical peak deceleration period was 0.1 and 0.01 s for wet and dry collisions,

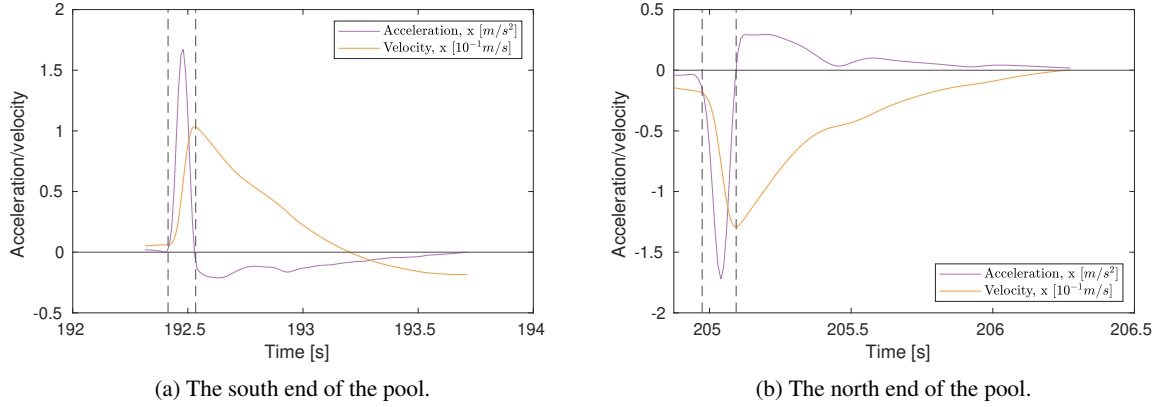


Figure 7: Collision events during the eighth cycle in Exp. 3. Ice floe acceleration and velocity (integrated acceleration w.r.t. time) in the x -direction from the uniaxial accelerometer data. Vertical dashed lines define the start and end of the collisions in the (a) south and (b) north end of the pool.

380 respectively. The peak deceleration amplitude in the current results is $1\text{-}2\text{ ms}^{-2}$ and the acceleration time series agree
 381 in general with the ice floe towing experiments of Marchenko et al. (2021a).

382 Close inspection of video material confirms that the collisional interaction of the ice floe and land fast ice occurred in
 383 a point of local contact, and then floe rotation influenced contacts in other places along the short end of the floe, as
 384 suggested in the previous paragraph. Figure 7 shows that the total duration of this interaction was about 1 s and that the
 385 first contact interaction corresponds to the acceleration peak extended over 0.1 s. The characteristics of this interaction
 386 is estimated using the analytical solution of the Hertz problem, which describes elastic collision of an elastic sphere
 387 of radius R and a half-space (Hertz 1882, Landau & Lifshitz 1987b), assuming that the elastic modulus E and the
 388 Poisson's ratio ν of the floe and the land fast ice are the same. The surface temperature of the ice was equal to the
 389 freezing point (-1.9°C) and the elastic modulus of sea ice with temperature close to the freezing point is $E \approx 2\text{ GPa}$
 390 (Marchenko et al. 2020). It is assumed that the Poisson's ratio is $\nu = 0.3$ (Timco & Weeks 2010). The maximum
 391 contact pressure p_{max} and the time of interaction τ are given by

$$p_{max} = \frac{1}{\pi} \sqrt[3]{\frac{6F_{max}E^{*2}}{R^2}}, \tau = 2.94 \sqrt[5]{\frac{225m^2}{256E^{*2}v_c R}}, \quad (16)$$

392 where m is the ice floe mass, v_c is the collision velocity, $F_{max} = 1.28(E^* \sqrt{R})^{2/5} v_c^{6/5}$ and $E^* = 0.5E/(1 - \nu^2)$.

393 Numerical estimates show that p_{max} decreases from 16 to 5 MPa, and τ decreases from 0.1 to 0.06 s when the radius
 394 R increases from 0.1 to 1.0 m. The stress level is below compression strength of ice in borehole jack tests (Timco
 395 & Weeks 2010). The time estimate shows that collisional interactions can be considered as elastic interactions. The
 396 collisional interaction between floes generates longitudinal elastic waves that are propagating over large distances in the
 397 Arctic ice (Dugan et al. 1992, Marsan et al. 2019).

398 Accelerometer data from the IMU were investigated for comparison and processed in the same manner as the uniaxial
 399 accelerometer data to find velocity time series. The IMU data agree in general with the uniaxial accelerometer
 400 data, although the impacts were poorer resolved due to the much lower sampling frequency. Consequently, the peak
 401 deceleration events appeared smaller and lasted longer than the ones obtained from the uniaxial accelerometers. From
 402 evaluation of the peak decelerations, Δt was set to 0.2 s for the IMU data.

403 A sudden change in velocity can be observed during the time of the peak deceleration Δt in Fig. 7. Following Li &
 404 Lubbad (2018), the energy dissipated in the elastic collision between floes E_{coll} can be estimated as the difference in
 405 kinetic energy $E_{coll} \approx \Delta K_f$ of the floe at t_{pre} and t_{post} . As mentioned in Sec. 2.1, the vertical modes of floe motion
 406 were negligible. Therefore, Eq. 1 of Li & Lubbad (2018), which describes the total kinetic energy of the floe, can be
 407 rewritten as

$$K_f \approx \frac{1}{2}mv_{f,x}^2 + \frac{1}{2}mv_{f,y}^2 + \frac{1}{2}I_z\omega_{f,z}^2, \quad (17)$$

408 where v_x and v_y are the floe translational velocities in the horizontal plane (related to surge and sway), I_z is the moment
 409 of inertia about the vertical axis that goes through the floe center of gravity and ω_z is the rotational velocity about
 410 the vertical axis (related to yaw). The ice floe mass was estimated as $m = \rho_f L_f W_f H_f$, where $\rho_f = 9 \times 10^2 \text{ kgm}^{-3}$
 411 was the average measured sea ice density (Marchenko et al. 2021b). The moment of inertia was estimated as
 412 $I_z = m(L_f^2 + W_f^2)/12$, i.e., the tabulated value of a rectangular prism, see e.g., Spiegel & Liu (1999). The first two
 413 terms on the R.H.S. of Eq. 17 were calculated from both uniaxial accelerometer and IMU data, and the two instruments
 414 agreed. The last term was only obtained from the IMU data.

415 In terms of lost kinetic energy in the collisions, the contribution from surge motion was found to dominate the
 416 contributions from sway and yaw by one and two orders of magnitude, respectively. The latter two terms on the R.H.S.
 417 of Eq. 17 are therefore neglected in the following. From the uniaxial accelerometer data, the dissipated energy in one
 418 collision event E_{coll} was found to be 32.1 J on average over the 11 cycles in Exp. 3. Considering the average duration of
 419 a half cycle, the mean power dissipated due to collisions P_{coll} was 2.4 W, which corresponds to 7.5% of the total input
 420 energy rate P_{winch} . The accelerometers were deployed together with the load cell, i.e., only in Exp. 3. As mentioned
 421 earlier, all the experiments were very consistent in terms of ice floe motion. Hence, it is assumed that the rate of energy
 422 dissipated in the collisions was similar in Exps. 1-6.

423 4.3 Optical measurements of jet generation

424 Although the acoustic velocimeters were only deployed on the fast ice next to the pool and in the ice floe center, the ROV
 425 and rising bubbles setup provide information on the flow structures below the floe and the fast ice. Figure 8 presents
 426 four images taken with the ROV camera, which show the ice floe colliding with the south end of the pool during the
 427 11th cycle in Exp. 3 (the video from which the images are extracted is available here: <https://vimeo.com/700522062>).
 428 The camera axis is approximately aligned with the y -axis. The ice floe approaches the fast ice in a)-b), collision occurs

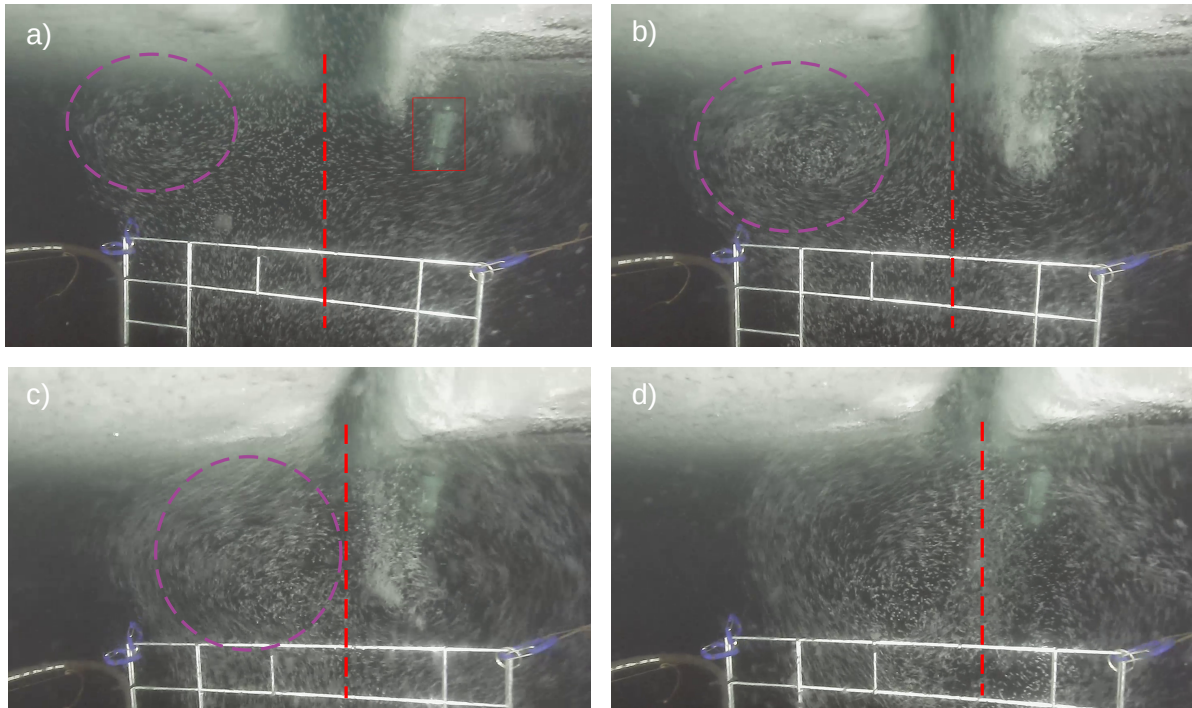


Figure 8: Evolution of a downward water jet as the ice floe (left) approaches the fast ice (right) during the 11th cycle in Exp. 3. The dashed red lines indicate the flow axis and the dashed magenta ellipsis indicate the left hand side vortex (rotation in the clockwise direction). The time span between each frame a)-d) is 0.5 s. The red rectangle in panel a) indicates the ADV, which was positioned behind the bubble curtain. The ADCP (positioned in front of the ADV) is not visible on the images.

429 around c) and the floe moves away from the fast ice in d). A downward jet is forming in the closing gap with a large
 430 eddy structure on each side in the axial direction. The eddy structure remains while water starts to flow upwards into the
 431 opening gap after the collision. The length of the metal grid in the lower part of the image is 0.55 m, meaning that the
 432 total jet diameter, including the resulting turbulent cloud, is in the order of 1 m. As the jet evolves, the vortex centers
 433 move towards the (vertical) flow axis. The horizontal distance from the flow axis to the vortex center is approximately
 434 0.1-0.3 m.

435 Over the last couple of decades, particle image velocimetry (PIV) has been adapted to field experiments to investigate
 436 flow kinematics in the ocean, see e.g Smith et al. (2002), Bertuccioli et al. (1999), Løken et al. (2021a). PIV was
 437 performed on consecutive ROV image pairs with the in-house HydrolabPIV software developed at the University
 438 of Oslo (Kolaas 2016). The processing was performed with 48×48 pixel subwindows with 50% overlap. A linear
 439 pixel-to-world coordinate transformation was achieved with the mesh-points of the metal grid. The mean vertical
 440 buoyancy driven bubble velocity was found in a reference run with calm water and subtracted from the velocity field
 441 obtained in the jet. Further details on the experimental setup and processing scheme can be found in Løken et al.
 442 (2021a). Figure 9 presents the jet 2D velocity field in the xz -plane in Exp. 3, 0.33 s after Fig. 8c, which means that
 443 the ice floe was moving away from the fast ice and a suction motion into the opening gap was already initiated. As in
 444 Fig. 8, two large eddies can be seen with centers approximately 10 cm from the flow axis and water flows upward into

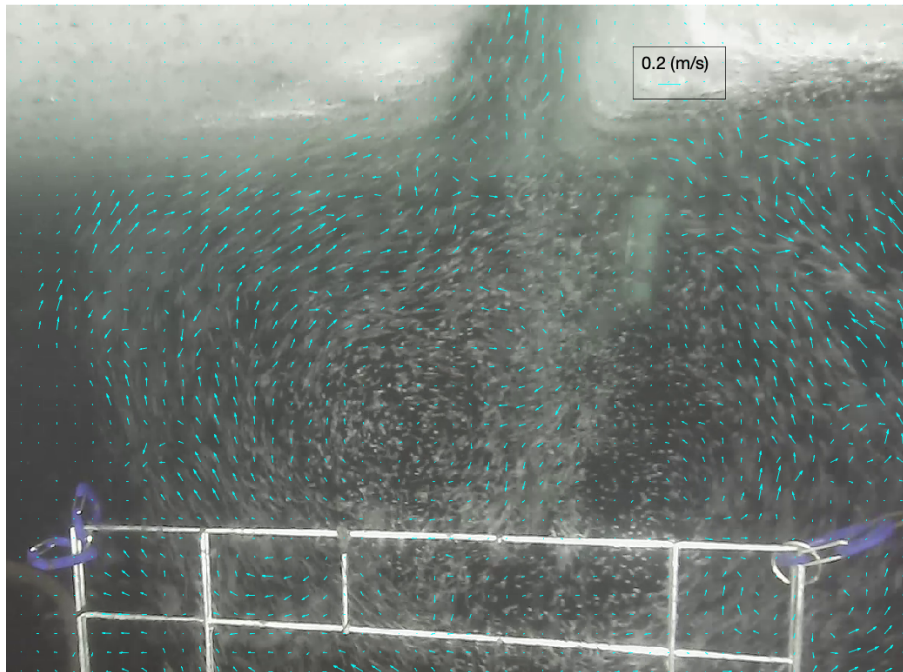


Figure 9: Downward jet processed with PIV to obtain velocity vectors. The image frame was taken 0.33 s after Fig. 8c. The magnitude of the velocity vectors is indicated in the legend.

445 the opening gap. Circular water motion is evident up to 0.5 m from the flow axis. Smaller turbulent structures were also
 446 resolved and can be observed within the jet domain. This observation, particularly the short distance from the flow axis
 447 to the vortex center, indicates that the ADCP probably captured the most dominating flow structures when it was placed
 448 0.25 m from the pool edge but may have failed to do so when placed further away.

449 4.4 Turbulent kinetic energy dissipation

450 From the fluctuating vertical velocity component of the ADV and all the ADCP bins, TKE spectra were estimated
 451 with the Welch method described in Sec. 2.2. All the cycles that were measured by both instruments were included
 452 in the calculations. The bins corresponding to the 15 cm closest to the instrument head showed some unphysical
 453 behavior, probably due to transducer ringing (Nystrom et al. 2007), and were therefore discarded. Figures 10a-f present
 454 the spectra from Exps. 1-6, respectively, where only 10 ADCP bins evenly distributed over the 2 m deep profile are
 455 presented to increase the readability. The thicker orange spectra in Figs. 10a-e are produced from the ADV, which was
 456 not deployed in Exp. 6 when the ADCP was placed in the ice floe center. Most of the spectra exhibit peak frequencies
 457 around 0.04 Hz, which correspond to the ice floe surge period of approximately 26 s. The gray shaded regions illustrate
 458 the range of frequencies $f_1 - f_2$ over which the compensated spectra were averaged in order to estimate the TKE
 459 dissipation rate, i.e., where a slope proportional to $f^{-5/3}$ is expected in accordance with Eq. 8.

460 The spectra are proportional to $f^{-5/3}$ over a wide range of frequencies, meaning that both instruments were able to
 461 resolve the inertial subrange. Typically, ADCP data quality deteriorates as the distance from the instrument increases,

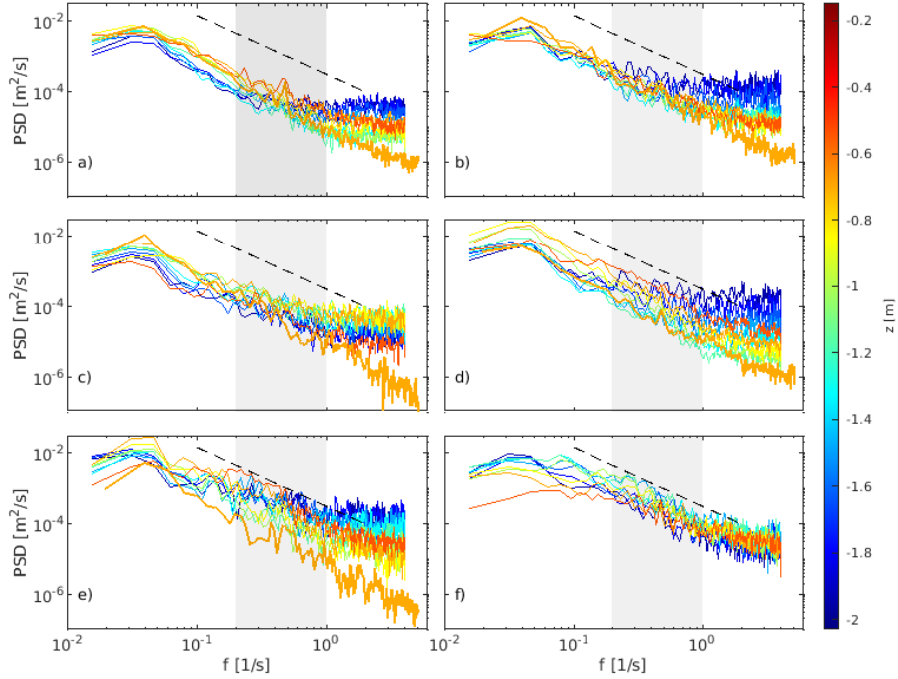


Figure 10: Turbulent kinetic energy spectra obtained with the ADCP from various depths in Exps. 1-6 shown in a)-f), respectively. The black dashed lines show the theoretical $f^{-5/3}$ slope. The ADV spectra are shown as thick orange lines in a)-e), but the ADV was not deployed in Exp. 6 when the ADCP was placed in the ice floe center. The shaded regions show the range of frequencies over which the compensated spectra were averaged to estimate ϵ .

462 either as decreasing beam correlation or increasing instrument noise. If the signal is obscured by Doppler noise, the
 463 spectra appear flat towards the higher frequencies. In Fig. 10, the ADCP noise floor is in general $\sim 10^{-5} \text{ m}^2\text{s}^{-1}$ close
 464 to the transducer and $\sim 10^{-4} \text{ m}^2\text{s}^{-1}$ towards the end of the profile, with some exceptions, e.g., in Exp. 3 when the
 465 correlation was low (see Fig. 12a). The ADV spectra exhibit a noise floor at $\sim 10^{-6} \text{ m}^2\text{s}^{-1}$. In Exps. 1-5, the spectra
 466 from the bins below $z \approx -1.2 \text{ m}$ flatten out within the gray shaded region, which illustrates that the instrument noise
 467 level exceeded the TKE level for $f < f_2$. These data are not physical, hence not used to estimate ϵ , which is only
 468 estimated for $z > -1.2 \text{ m}$ in Exps. 1-5 from Eq. 8. However, all the spectra in Exp. 6 are approximately proportional to
 469 the $f^{-5/3}$ slope within the shaded region. Therefore, ϵ was estimated along the entire profile in Exp. 6.

470 The autocorrelation function $a_{LL}(z, r)$ was computed from the full time series of the vertical fluctuating velocity
 471 component of the ADCP data at the vertical position $z = -0.58 \text{ m}$ with Eq. 3. Three examples are presented in Fig. 11a,
 472 where the distance r spans from 0 to 0.8 m. The integral length scale L_{LL} is obtained with Eq. 4, and corresponds
 473 to the shaded area. In Exps. 2 and 6, a_{LL} reaches a flat plateau around zero well within the range of r , while zero
 474 is just reached within the range in Exp. 4. Integral length scales from all experiments are presented in Table 3, and
 475 the values from Exp. 1-5 agree well with the large eddy structures visible in Figs. 8-9. Due to the poor ADCP data
 476 quality below $z \approx -1.2 \text{ m}$, as shown in Figs. 10-12, combined with the fact that r spanned over a large portion of the

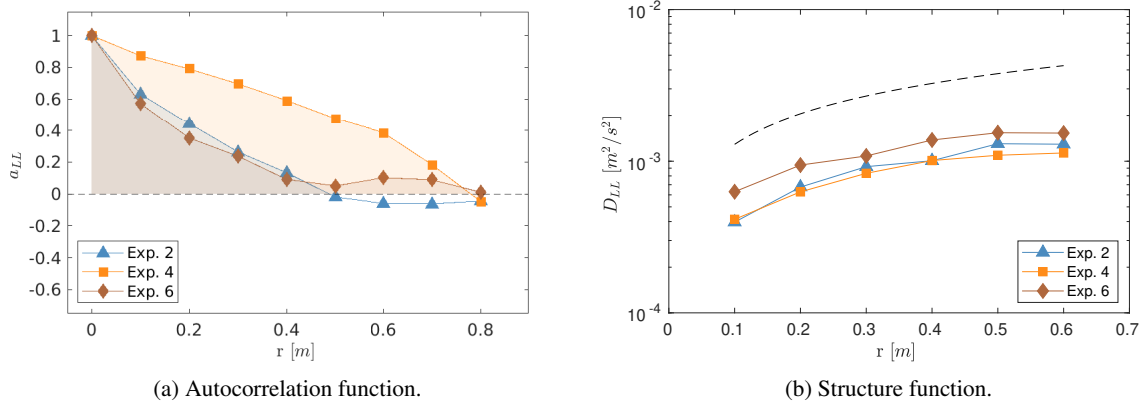


Figure 11: Spatial autocorrelation function and structure function calculated at the vertical position $z = -0.58$ m for one experiment at each ADCP position. The shaded area in a) corresponds to the respective integral length. The black dashed lines in b) shows the theoretical $r^{2/3}$ trend.

Exp.	Re	L_{LL} [m]	ϵ_L [m^2s^{-3}]	ϵ_D [m^2s^{-3}]	ϵ_S [m^2s^{-3}]
1	0.96×10^5	0.28	9.00×10^{-5}	1.10×10^{-4}	3.97×10^{-5}
2	0.95×10^5	0.21	1.20×10^{-4}	2.59×10^{-4}	9.91×10^{-5}
3	0.91×10^5	0.09	2.56×10^{-4}	3.84×10^{-4}	1.40×10^{-4}
4	1.09×10^5	0.48	7.70×10^{-5}	2.33×10^{-4}	6.22×10^{-5}
5	1.17×10^5	0.37	1.22×10^{-4}	4.29×10^{-4}	1.22×10^{-4}
6	2.01×10^5	0.19	1.20×10^{-3}	3.90×10^{-4}	4.65×10^{-4}

Table 3: Turbulence properties estimated at the vertical position $z = -0.58$ m. Column 4-6 are estimates of the TKE dissipation rate obtained from the methods: order-of-magnitude estimate, structure function fit and spectral fit, respectively. The values of ϵ_L and ϵ_S are rather similar, with some exceptions, while ϵ_D is about 3 times greater than ϵ_S , with the exception of Exp. 6, where they are similar.

477 good-quality data profile, the integral length scales were only estimated in one vertical position. The only exception is
 478 Exp. 6, where the data quality was good along almost the entire measurement span, and the integral length scales were
 479 found to be $L_{LL} = [19, 16, 25, 15, 9, 7]$ cm for vertical positions spanning from $z = -0.58$ m to $z = -1.58$ m with
 480 20 cm increments.

481 The TKE dissipation rates were estimated from assessing order-of-magnitudes with the scaling law from Eq. 5. These
 482 results are presented under the name ϵ_L in Table 3. Structure functions $D_{LL}(z, r)$ were computed with Eq. 6 for the
 483 same data and vertical position as the integral length scales. Examples are presented in Fig. 11b, where r spans from 0.1
 484 to 0.6 m. All the structure functions (including the ones not shown) have slopes that are approximately proportional to
 485 the theoretical $r^{2/3}$ slope expected in the inertial subrange, and TKE dissipation rates were estimated with the structure
 486 function fitting from Eq. 7. The results are summarized in Table 3 under the name ϵ_D .

487 Finally, the TKE dissipation rates were estimated with the spectral fitting from Eq. 8. The results at the vertical position
 488 $z = -0.58$ m are summarized in Table 3 under the name ϵ_S . In general, the three different methods for estimating the
 489 TKE dissipation rate yield results in the same order of magnitude. The values of ϵ_L and ϵ_S are rather similar, with the

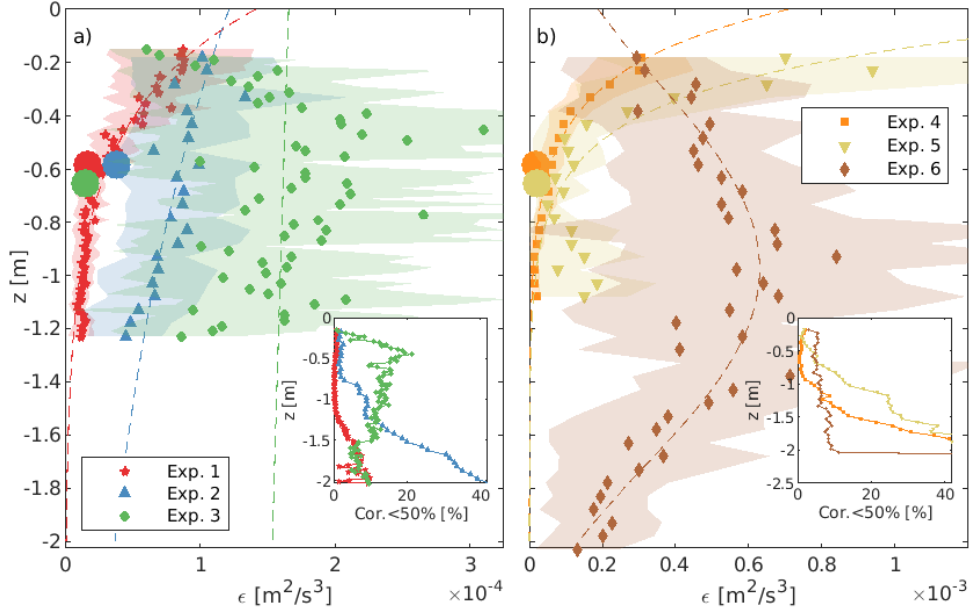


Figure 12: Estimated TKE dissipation rate profiles. a) ADCP placed 0.50 m from the pool edge in Exp. 1 (red), 2 (blue) and 3 (green). b) ADCP placed 0.25 m from the pool edge in Exp. 4 (orange) and 5 (yellow) and on the ice floe center in Exp. 6 (brown). In Exps. 1-5, ϵ was not estimated for $z < -1.2$ m due to the high instrument noise level. Dashed lines show curve fits to the ADCP data ϵ_{fit} . Confidence intervals σ_ϵ are indicated with shaded regions. The inset plots show the vertical beam correlation data for the ADCP profiles (percentage of time series with correlation < 50%). ADV data are presented as large dots.

490 exceptions of Exps. 1 and 6, where ϵ_L is about 2-3 times greater than ϵ_S , while ϵ_D is about 2-3 times greater than ϵ_S ,
 491 with the exception of Exp. 6, where the values are similar. The method of spectral fits offer the advantage of estimating
 492 values along the entire measurement profile of the ADCP, and allows for comparison with ADV point data. Therefore,
 493 results from the spectral fitting is used in the rest of the paper, and the TKE dissipation rate is simply referred to as ϵ ,
 494 although ϵ_S is implied.

495 Figures 12a-b present the estimated TKE dissipation rates ϵ from Exps. 1-3 and 4-6, respectively. The inset plots show
 496 the percentage of the ADCP time series where the vertical beam correlation was below the manufacturer recommendation
 497 (50%). In Exp. 3, the beam correlation was below the recommended value more than 10% of the time, see Table 4,
 498 which is an indication of poor data quality. This is probably why a large data scattering can be observed along the
 499 ϵ profile in Exp. 3. The profiles appeared to decay exponentially with depth when the ADCP was placed on the fast
 500 ice close to the pool wall, i.e., in Exps. 1-5, perhaps apart from Exp. 3 where the data quality was poor. Therefore,
 501 exponential functions on the shape $\epsilon_{fit} = ae^{-bz}$, where a and b are estimated parameters, were fitted to the data with
 502 nonlinear regression by means of iterative least squares and plotted as dashed lines in Fig. 12. A fourth order polynomial
 503 function was fitted to the estimated ϵ values in Exp. 6. The standard deviations of $\epsilon - \epsilon_{fit}$ along the profile are presented
 504 in Table 4 as a measure on the accuracy of the curve fits. Especially the relative standard deviation, which is normalized
 505 over the mean ϵ , shows that ϵ clearly decay exponentially with depth in Exps. 1, 2 and 4.

Exp.	Corr. < 50% [%]	Mean ϵ [m^2s^{-3}]	Std. ϵ [m^2s^{-3}]	Rel. std. ϵ [%]	$\pm\sigma_\epsilon$ [%]	d [Wm^{-2}]
1	0.5	3.4×10^{-5}	6.1×10^{-6}	17.8	49.6	5.7×10^{-2}
2	4.3	8.3×10^{-5}	1.2×10^{-5}	15.0	49.4	1.5×10^{-1}
3	12.7	1.6×10^{-4}	4.7×10^{-5}	28.9	63.5	3.3×10^{-1}
4	2.3	8.4×10^{-5}	1.5×10^{-5}	18.4	45.6	1.7×10^{-1}
5	8.1	2.4×10^{-4}	1.3×10^{-4}	53.1	71.1	4.4×10^{-1}
6	5.3	5.2×10^{-4}	8.6×10^{-5}	16.6	66.4	9.2×10^{-1}

Table 4: Statistics on ADCP beam correlation and estimated area density of TKE dissipation rate. Columns 2-6 apply for $z > -1.2$ m and column 7 applies for the entire profile, i.e., $z > -2.0$ m. Column 2 is the percentage of the time series where the beam correlation was less than 50%, averaged over all bins. Column 3 is the mean ϵ averaged over all bins. Column 4 is the standard deviation of $\epsilon - \epsilon_{fit}$. Column 5 is the relative standard deviation, i.e., Column 4/Column 3. Column 6 is the average uncertainty in the estimated ϵ , given in Eq. 9 and the shaded area in Fig. 12. Column 7 is the area density of TKE dissipation rate from the ϵ_{fit} profiles.

506 It is desirable to quantify the total energy dissipated in turbulence in the water affected by the ice floe motion. The
507 ϵ_{fit} values were therefore numerically integrated with the trapezoidal method over the entire profile to find the area
508 density of TKE dissipation rate $d = \rho_w \int_{-2}^0 \epsilon_{fit} dz$ [Wm^{-2}]. Confidence intervals for the estimated ϵ , i.e., σ_ϵ estimated
509 from Eq. 9, are illustrated as shaded regions in Fig. 12. Estimated d and the average percentage of the uncertainties
510 with respect to the fitted curves are listed in Table 4. Estimated ϵ from the ADV spectra are presented as large dots
511 in Fig. 12. Some of the dots are displaced a bit in the vertical direction to increase the readability, even though the
512 measurement volume was located at $z = -0.58$ m in all the experiments. The estimated values from the ADV were in
513 general smaller than the values from the ADCP. The reason for this is unknown in Exps. 1-3 but is probably that the
514 ADCP was placed closer to the pool, where the TKE level is expected to be higher, in Exps. 4-5. Ideally, the ADV
515 should have been mounted at the same x -position as the ADCP, but this was not possible with the ADV tripod.

516 The density of TKE profiles TK from the ADCP and single values from the ADV obtained from Eqs. 1-2 are presented
517 in Fig. 13, where solid markers indicate measured data and solid lines indicate data corrected for instrument noise.
518 There is good agreement between the ADCP and the ADV, especially in Exps. 1-3 where the instruments were placed
519 at the same x -location. As previously discussed, it is expected that the TKE level was higher closer to the pool edge,
520 which probably explains the lower values obtained from the ADV in Exps. 4-5. The density of TKE profiles approach
521 zero with increasing depth and are therefore numerically integrated over the profile to find the area density of TKE
522 $TK_z = \int_{z_2}^{z_1} TK dz$ [Jm^{-2}], where z_1 is the first ADCP bin and z_2 is the last considered bin. The profiles show some
523 negative values and other unphysical behavior in depths below z_2 , which is set to -1.2 and -2 m in Exps. 1-5 and 6,
524 respectively, in consistency with Figs. 10-12. The TK_z values are listed in Table 5.

525 A single velocity that is representative for all three components u_{rep} can be expressed as $u_{rep} = \sqrt{2q^2/3}$ (Variano &
526 Cowen 2008). The representative velocity was calculated from the TK values from the ADCP presented in Fig. 13,
527 with the relation $q^2 = TK/\rho_w$. From this representative velocity and a representative length scale for the experiment
528 L_{l0} , the Reynolds number was computed as $Re = u_{rep}L_{l0}/\nu_w$, where $L_{l0} = 6$ m is the approximate length of the pool

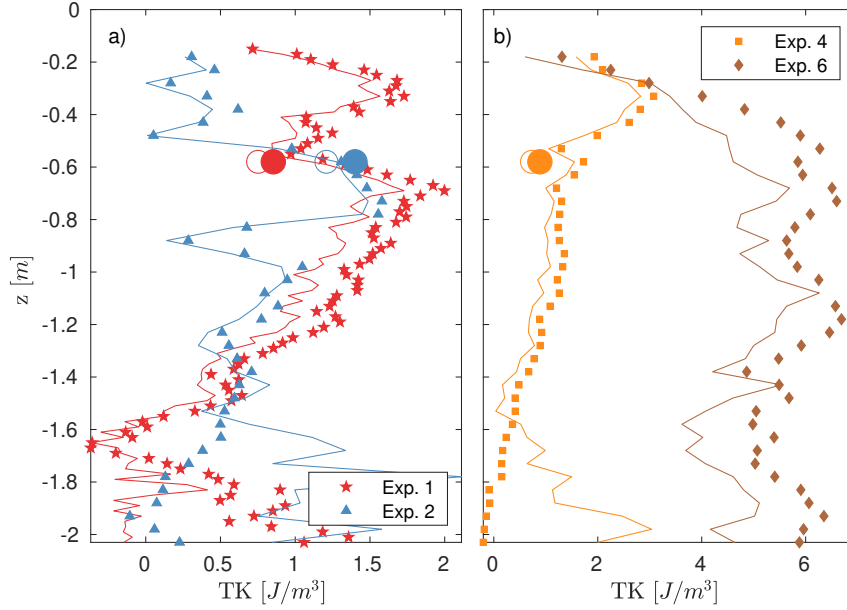


Figure 13: Estimated density of TKE profiles. a) ADCP placed 0.50 m from the pool edge in Exps. 1 (red) and 2 (blue). b) ADCP placed 0.25 m from the pool edge in Exp. 4 (orange) and on the ice floe center in Exp. 6 (brown). Experiments 3 and 5 showed the same behavior as Exps. 1-2 and 4, respectively, but these are not included to increase readability. ADV data are presented as large dots. Solid markers show measured values and lines show values corrected for instrument noise.

529 and $\nu_w = 1.84 \times 10^{-6} \text{ m}^2\text{s}^{-1}$ is the kinematic viscosity of seawater. The values listed in Table 3 are consistent in
 530 Exps. 1-5, with a small increase when the ADCP was placed closer to the pool, and about two times greater under the
 531 center of the ice floe in Exp. 6.

532 Turbulence properties from the tidal current were investigated to find the ambient turbulence level in the boundary layer
 533 below the ice. Reference runs of ADCP time series before each experiment, i.e., when the ice floe was not moving,
 534 were considered. The mean horizontal current speed U_{mean} and direction U_{dir} , averaged over bins above $z = -1.2 \text{ m}$,
 535 as well as the duration of the reference runs, are summarized in Table 5. The direction is defined as clockwise rotation
 536 about the x -axis and the mean current direction was approximately in the y and $-y$ -direction in Exps. 1-5 and 6,
 537 respectively. The ADCP was usually started right before the experiments, hence the short reference run time series.

538 Only in Exp. 1, the reference run was long enough to estimate the ambient area density of TKE dissipation rate d_{amb} and
 539 the ambient area density of TKE $TK_{z,amb}$. However, U_{mean} was consistent in the order of 10^{-2}ms^{-1} over Exps. 1-5,
 540 so it is reasonable to assume that d_{amb} and $TK_{z,amb}$ were similar in these experiments. In Exp. 6 on the other hand,
 541 U_{mean} was smaller, in the order of 10^{-3}ms^{-1} . Nevertheless, the values of d_{amb} and $TK_{z,amb}$ obtained in Exp. 1 are
 542 used as conservative estimates for all the experiments. Both parameters are resulting from the tidal current and are
 543 listed in table 5. Depending on the experiment and the location of the ADCP, d_{amb} was 1.4-22.8% of d , and $TK_{z,amb}$
 544 was only 0.8-8.1% of TK_z . In the following, d_{amb} and $TK_{z,amb}$ due to the mean tidal current are subtracted from

Exp.	U_{mean} [mm/s]	U_{dir} [°]	Time [s]	d_{amb} [Wm ⁻²]	TK_z [Jm ⁻²]	$TK_{z,amb}$ [Jm ⁻²]
1	7.9	253	485	1.3×10^{-2}	1.3	6.5×10^{-2}
2	4.5	253	75	-	0.8	-
3	8.0	234	175	-	1.2	-
4	5.4	267	170	-	1.5	-
5	5.4	267	170	-	0.9	-
6	1.4	104	190	-	8.4	-

Table 5: Ambient flow with mean horizontal current and direction and length of the reference run time series (columns 2-4). Experiment 4 and 5 were conducted within one hour and it is assumed that the tidal conditions were similar. Column 5 is the ambient area density of TKE dissipation rate. Area density of TKE during towing and due to the tidal current are listed in Column 6 and 7, respectively. d_{amb} and $TK_{z,amb}$ were only estimated in Exp. 1 due to sufficient duration of the reference run time series.

545 d and TK_z , respectively, which contain TKE from the moving floe and the tidal current, so that $d = d - d_{amb}$ and
546 $TK_z = TK_z - TK_{z,amb}$. Henceforth, focus is directed towards the TKE dissipation rate due to the moving floe.

547 The total TKE dissipation rate $D = dS_{b0}$, where S_{b0} is the horizontal area of the pool, describes the rate of TKE
548 dissipation due to the ice floe motion in the water volume below S_{b0} , and is analogous to the first integral in Eq. 15. The
549 total TKE advection rate $TK_{adv} = TKU_{mean}S_{l0}$ describes the rate of TKE due to the floe motion that is transported
550 away from the water volume below S_{b0} due to the mean current speed U_{mean} and dissipated elsewhere, and is analogous
551 to the second integral in Eq. 15. S_{l0} is the area of the vertical, cylindrical surface separating the pool from the fast
552 ice, projected on a plane with normal vector parallel to U_{dir} . As the mean horizontal current direction was roughly
553 parallel to the y -axis, S_{l0} is approximately parallel to the xz -plane. Since TK is already integrated over z to obtain
554 TK_z , $TK_{adv} = TK_zU_{mean}L_{l0}$, where L_{l0} is the length of S_{l0} in the x -direction, i.e., $L_{l0} \approx 6$ m.

555 In order to accurately quantify the total TKE dissipation due to the moving ice floe, the ADCP should have been
556 deployed at many locations around the pool and on the ice floe, so that D and TK_{adv} could have been estimated with a
557 high spatial resolution in the horizontal plane. An attempt is still made to estimate the total TKE dissipation rate D and
558 the total TKE advection rate TK_{adv} . From Fig. 12, it is clear that the profiles of TKE dissipation rate are very different
559 in the gap between the floe and the fast ice, where ϵ decay exponentially with depth, and below the floe itself, where ϵ
560 first increase and then decay with depth after a maximum is reached at $z \approx -1$ m. The former profiles are associated
561 with the jet and suction motion induced in the collisions, while the latter profile is associated with the turbulence below
562 the floe. This difference is also apparent for the profiles of the density of TKE in Fig. 13. Therefore, the representative
563 area and length are separated so that $D = d_f S_f + d_{gap} S_{gap}$ and $TK_{adv} = TK_{z,f} U_{mean} L_f + TK_{z,gap} U_{mean} L_{gap}$,
564 where the notation f indicates the horizontal area and length of the ice floe, and gap indicates the horizontal gap area
565 and length in the x -direction.

566 It is assumed that the ϵ and TK profiles obtained in Exp. 6 are representative for the TKE below the entire ice floe,
567 hence $S_f = 12$ m², $L_f = 4$ m, $d_f = d_6$ and $TK_{adv,f} = TK_{adv,6}$. From Figs. 8-9, it can be observed that the jet
568 diameter (and the resulting turbulent cloud) is ~ 1 m, and it is assumed that the jet extension in the y -direction is equal

Exp.	D [W]	TK_{adv} [W]	Total TKE rate [W]
1	0.26	2.0×10^{-2}	0.28 ± 0.14
2	0.82	0.7×10^{-2}	0.83 ± 0.41
3	1.90	1.8×10^{-2}	1.92 ± 1.22
4	0.94	1.6×10^{-2}	0.96 ± 0.44
5	2.56	0.9×10^{-2}	2.57 ± 1.83
6	10.88	4.7×10^{-2}	10.93 ± 7.26

Table 6: Total TKE dissipation rate due to ice floe motion. The uncertainties in the estimated ϵ (Column 6 in Table 4) are imposed on the intervals given in the total TKE rate. The total TKE rate from Exp. 6 should be combined with any of Exps. 1-5 to describe the complete experimental geometry.

569 to the width of the floe W_f and that a similar jet is produced in the gap on the north end of the floe, hence $S_{gap} = 6 \text{ m}^2$
570 and $L_{gap} = 2 \text{ m}$, which is in agreement with the total gap area and length in both short ends of the pool. As discussed
571 in Sec. 4.3, the ADCP data obtained at the shortest distance from the pool, i.e., in Exps. 4-5, are probably a better
572 realization of the flow happening in the gap than further away from the pool. Out of these two, the most correlated
573 beam measurements, the least uncertainties in the estimated ϵ and the most cycles were obtained in Exp. 4. Therefore, it
574 is assumed that the ϵ and TK profiles obtained in Exp. 4 are representative for the TKE in the entire gap area, hence
575 $d_{gap} = d_4$ and $TK_{adv,gap} = TK_{adv,4}$. With these assumptions, $D = 11.8 \text{ W}$, where the weighted uncertainty from
576 σ_ϵ is $\pm 64.6\%$. Similarly, $TK_{adv} = 0.06 \text{ W}$. The total TKE rate due to the floe motion $D + TK_{adv} = 11.9 \text{ W}$,
577 which corresponds to Eq. 15, is estimated to be 36.9% of the input power P_{winch} . The total TKE rate from all the
578 experiments are summarized in Table 6. The listed uncertainties are associated with the estimated ϵ values found from
579 Eq. 9. However, these figures are based on the assumption that the estimated values from single measurement locations
580 are representative for the entire area of the floe and the gap, respectively. The different sources for uncertainty are
581 further discussed in Sec. 5.

582 5 Discussion

583 The results presented in the previous section provide a step towards understanding the mechanisms of energy dissipation
584 related to the two dynamical processes of relative water-ice motion and ice-ice collisions. Although the experimental
585 setup is a simplification of the complex reality in the MIZ, e.g., by the fact that the orbital wave motion is absent, the
586 period of the oscillating motion of the floe is greater than that of the typical waves found in the MIZ, and the floe is
587 sawed in a rectangular and not an irregular shape, there are similarities to previous observations in the nature. Smith &
588 Thomson (2020) observed pancake floes subjected to waves with periods in the order of 10 s in the Beaufort Sea MIZ,
589 and found that the relative water-ice and floe-floe velocities were both in the order of 0.1 m/s, which is similar to the
590 relative velocities used in the present paper. The relative velocities are the key kinematic parameters for describing
591 the turbulence produced by the floe motion (Smith & Thomson 2020). Smith & Thomson (2019) observed turbulent
592 velocity fluctuations with the magnitude of a few cm/s just below pancake ice in the Ross Sea MIZ. Similarly, the

593 magnitude of the turbulent velocity fluctuations measured in the present paper, which can be seen in Fig. 4, were in the
 594 order of 1 cm/s. Collisions occurred approximately every 13 s in the present experiment. McKenna & Crocker (1992)
 595 reported that floe collisions were closely related to the wave cycle for medium sized ice floes (in the order of 10 m
 596 wide) subjected to waves with period around 10 s in the Labrador Sea MIZ. Martin & Becker (1987, 1988) investigated
 597 large ice floes (in the order of 10^2 m wide) heavily concentrated in the Greenland and Bering Sea MIZ and found that
 598 collision events in general recurred with the period of the ocean swell, which was 10-18 s. They reported that the longest
 599 observed duration of a series of consecutive collisions was in the order of minutes. Smith & Thomson (2020) used the
 600 assumption of floe collisions recurring with the wave period as an upper bound to the associated energy dissipation.

601 As the ice floe was towed back and forth in the pool, an oscillating flow was generated in the surrounding water due to
 602 the shear at the water-ice interface. In the TKE spectra shown in Fig. 10, these large-scale fluctuations appear around the
 603 peak frequency of 0.04 Hz, corresponding to periods around 26 s, i.e., the mean duration of a cycle T_s . Two different
 604 mechanisms generated turbulence in the pool, the drag associated with the relative water-ice velocity, and the downward
 605 jet injection and upward suction of fluid in the gap. The former creates a turbulent boundary layer below the oscillating
 606 floe, which can be observed in the TKE dissipation rate ϵ profile in Exp. 6 presented in Fig. 12, where the maximum
 607 value occurs in the water layer extended 0.6-1.4 m below the ice bottom. This is likely to occur around natural ice floes
 608 due to wave induced motion of water particles relative to the ice, and comprises turbulent friction on the underside of the
 609 ice and the wake behind the sharp edges of the floe, i.e., skin friction and form drag, respectively (Kohout et al. 2011).
 610 The effect of surface roughness of the ice floe on turbulence generation has not been considered in the present paper, but
 611 is relevant to the problem and deserves further investigations in future studies. The latter induces turbulence associated
 612 with collisions that rapidly decays with depth, as seen in the ϵ profiles in Exps. 1-5, which also may occur in a dense
 613 floe field exposed to waves (Rabault et al. 2019). Note that the epsilon profiles in Exps. 1-5 and 6 comprise turbulence
 614 from both the jet and suction motion and towing back and forth, respectively, as the entire time series including all
 615 cycles were used.

616 It was found that 36.9% of the mean measured power input to the system P_{winch} was transferred from the ice floe to the
 617 water and dissipated in turbulence, either directly below the system or advected away from the system with the mean
 618 horizontal current. However, a large uncertainty is associated with this estimate, and it should be used with caution.
 619 More than 80% of the total TKE rate due to the floe motion occurred under the ice floe, based on the information
 620 acquired in Exp. 6, which is associated with the relative water-ice velocity and floe drag. The data quality was good in
 621 this case, but the statistical confidence is reduced due to the fact that this experimental setup was only repeated once.
 622 In addition, the average uncertainty in the estimated TKE dissipation rate $\sigma_{\epsilon,6}$ was 66.4%. Due to the lack of further
 623 measurements, it was assumed that the area density of TKE dissipation rate d was uniform over the area of the floe,
 624 which is probably a large simplification of reality. The ϵ profiles in Exps. 1-5, associated with the downward jets and
 625 upward suction motions, are qualitatively consistent in the sense that they decay exponentially with depth, although the
 626 quantitative discrepancies, expressed through d in Table 4, are considerable. Note that the turbulence induced by the

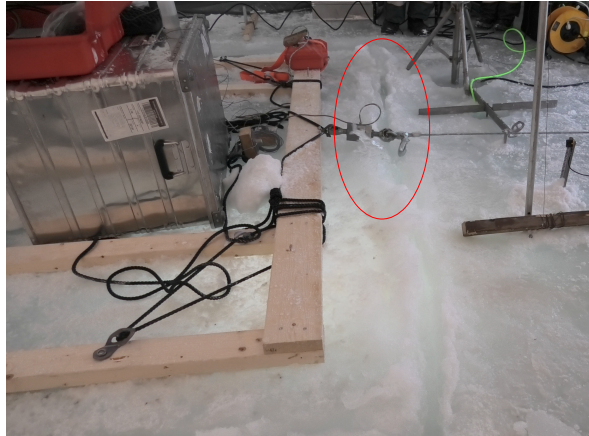


Figure 14: Owerwash immediately after a collision event. The red circle marks the erupting water jet.

627 shear flow in the gap between the fast ice and the lateral sides of the floe was not measured and has not been accounted
 628 for.

629 Approximately 7.5% of the of the mean power input P_{winch} was on average absorbed in the collisions between the
 630 ice floe and the pool walls P_{coll} , probably in mechanisms such as elastic deformation of the ice and erosion/slush
 631 production (Herman 2018, Herman et al. 2018). Figure 14 shows an image of a collision event where the walls of
 632 impact have been deformed and slush is building up on the topside of the ice. Note that the average power of the ice floe
 633 surge motion P_s , given in Appendix B, is similar to P_{coll} . Previous studies have concluded that energy dissipation due
 634 to floe collisions account for a significant part of the wave attenuation, but it is not the dominating mechanism. Shen
 635 & Squire (1998) found from modeling that energy absorption for typical ocean swell periods arising from collisions
 636 between adjacent ice floes in the order of 1 m in a dense pancake ice field is the second most dominating mechanism in
 637 terms of energy dissipation, after TKE in the water column. Li & Lubbad (2018) presented wave tank experiments
 638 with ice floes in the order of 1 m, which suggested that approximately 10% of the wave energy loss was dissipated in
 639 inelastic collisions between adjacent floes.

640 Induced TKE and elastic collisions were estimated to dissipate approximately $45\% \pm 23.7\%$ of the total input energy
 641 rate, hence these mechanisms do not account for all dissipation processes. Another possible loss is the generation of
 642 outgoing surface waves in the pool due to the floe motion, which is directly associated with the damping force of the
 643 body (Squire et al. 1995). Surface waves induced by the floe surge motion have periods equal to that of the cyclic
 644 motion of the floe, i.e., $T_s \approx 26$ s, and it is expected that these long waves travel away from the pool. However, the
 645 pressure sensor integrated in the ADV showed no oscillations with periods around 26 s, so the surge-induced waves
 646 must have been small. The findings of Marchenko et al. (2021a) suggest that short surface waves are produced from
 647 collision events. If such waves were generated in the present experiments, they were probably not visible since the
 648 floe covered almost the entire pool width. Short surface waves with periods < 1 s were observed visually before the
 649 collision events in the axial gaps between the floe and the fast ice, which may be associated with the eigenmodes or

650 seiche motion in the pool. Floe oscillations with periods around 2 s were detected by the uniaxial accelerometers in
 651 the horizontal directions, as can be seen in the time series presented in the lower panel of Fig. 3, and by the IMU in
 652 the vertical direction, as shown in Fig. 15 in Appendix B. These oscillations may be associated with the piston modes
 653 of water oscillations in the lateral gaps between the floe and the fast ice and/or the natural oscillation of the floe in
 654 the vertical direction, meaning that the surge oscillations may have induced small oscillations in the vertical direction
 655 through nonlinear processes. The frequency of the piston mode wave oscillations f_p in an oscillating water column can
 656 be described by $2\pi f_p = \sqrt{g/h}$, where h is the height of the water column (Baudry et al. 2013). When H_f is substituted
 657 with h , $f_p = 0.5$ Hz is obtained. The natural frequency of the floe in the vertical direction f_h can be estimated as
 658 $f_h \approx \sqrt{\rho_w g / (\rho_f H_f (1 + m_{ad}/m))} / 2\pi \approx 0.47$ Hz, where $m_{ad} \approx 2955$ kg is the added mass of the floe in the vertical
 659 direction, which is calculated with Eq. 13 in Marchenko et al. (2020). The estimated f_p and f_h both agree with the
 660 period of the accelerometer recorded floe oscillations. Note that the estimated power of the heave motion (0.1 W) was
 661 small compared to, for example, the estimated power of the surge motion (2.3 W), as shown in Appendix B. Overwash
 662 or water jets were also observed as a consequence of the collisions, which is another damping mechanism that may
 663 influence the attenuation of surface waves in a wave-ice field (Herman 2018, Herman et al. 2019, Marchenko et al.
 664 2019b). An example of a splashing event is shown in Fig. 14. Some energy may also have dissipated in the towline and
 665 ice screws. None of the above-mentioned mechanisms were measured, only observed, and are therefore not quantified
 666 in this work.

667 In the present study, the ice concentration c_{ice} in the pool was 0.5, and the TKE dissipation rate was estimated in the
 668 range 0.057-0.92 Wm^{-2} . Voermans et al. (2019) estimated the dissipation rate of TKE per square meter surface area
 669 within the wave boundary layer (WBL) with the formula $D_{WBL} = \rho_w b_2 (\pi H/T)^3$, where H is the wave height, T is
 670 the wave period and b_2 is a coefficient that can be interpreted as the ratio of TKE dissipation rate to the kinetic energy of
 671 the local wave state. The estimates were performed to describe wave damping in the MIZ of the Beaufort and Chukchi
 672 Seas due to the turbulence generated by waves and sea ice. They suggested that $b_2 = 10^{-7} e^{20c_{ice}}$, where $c_{ice} > 0.4$.
 673 Assuming $H = 0.2$ m and $T = 10$ s, we find $D_{WBL} = 0.0005$ Wm^{-2} with $c_{ice} = 0.5$. The high value of the TKE
 674 dissipation rate in the present study compared to the values estimated with the formula by Voermans et al. (2019), is
 675 explained by the artificial excitation of the floe motion by winches. Our experiments were used for the estimates of
 676 relative energy portions spent for the generation of turbulence and collisions, and relative inputs of drag forces and
 677 collisions into the generation of turbulence. The estimations would have been less precise with lower TKE dissipation
 678 rates.

679 A discussion on the necessity of conducting full-scale tests in the field as opposed to laboratory experiments follows
 680 next. The dimensionless parameters of the investigated problem and their approximate values are listed in Table 7. In
 681 a laboratory experiment, it would be possible to obtain similarity by the Reynolds number, the Stokes number, the
 682 Poisson's ratio and the geometrical parameter H_f/L_f . However, it would be challenging to preserve the dimensionless
 683 groups Re/Fr and E/σ (Ashton 1986). The structure of natural ice influencing E and σ is determined by vertical
 684 profiles of ice temperature, salinity and porosity, which are usually not reproduced in model ice. The surface roughness

Dimensionless parameters	Formula	Value
Reynolds number	$Re = H_f v_f / \nu_w$	$\sim 5 \times 10^4$
Stokes number	$St = \rho_f / (\rho_w C)$	~ 1
Froude number	$Fr = v_f / \sqrt{g H_f}$	$\sim 3 \times 10^{-2}$
Cauchy number	$Ca = \rho_w v_f^2 / E$	$\sim 10^{-8}$
Poisson's ratio of ice	ν	$\sim 3 \times 10^{-1}$
	E / σ	$\sim 10^3$
dimension parameter	H_f / L_f	1/4
roughness parameter	r_f / H_f	$\sim 10^{-1}$
dimensionless B-V frequency	$N^2 H_f / g$	$\sim 4.5 \times 10^{-6}$
Richardson number	$Ri = N^2 / (dv_x/dz)^2$	$\sim 4.5 \times 10^{-3}$

Table 7: List of non-dimensional parameters of the problem and their approximate values, where H_f and L_f are the ice floe thickness and length, respectively, v_f is the representative floe velocity, ν_w is the kinematic viscosity of water, ρ_f and ρ_w are the densities of ice and water, respectively, $C \sim 1$ is the drag coefficient, g is the gravitational acceleration, $E \sim 1$ GPa and $\sigma \sim 1$ MPa are the elastic modulus and compression strength of ice, respectively, $r_f \sim 10^{-1}$ m is the roughness length of the submerged surface of the floe, $N \sim 6.7 \times 10^{-3} \text{s}^{-1}$ is the Brunt-Vaisala frequency and $dv_x/dz \sim 10^{-1} \text{s}^{-1}$ is the vertical gradient of the horizontal water velocity.

685 r_f of interacting floes is important for the process of floe-floe collisions, which causes the transformation of kinetic
686 energy of the interacting floes into the energy of elastic waves in the ice and energy of viscous and anelastic deformations
687 of the ice (Joseph et al. 2001). In full-scale tests, r_f changes in time due to thermodynamic processes and mechanical
688 interaction of floes, which is very difficult to reproduce in laboratory experiments. Vertical profiles of water temperature
689 and salinity below the ice influence the Richardson number and shear instability below drift ice through pressure
690 effects. Water mixing below the ice caused by stratification is usually ignored in model tests, although the mixing is
691 important for floe-floe interactions when the ice stresses are small. In cold weather, the atmosphere cooling causes
692 water freezing in gaps between ice floes and slush production increases the effective viscosity of water around floes
693 (de Carolis et al. 2005). This process is usually not reproduced in laboratory facilities. In fact, the relatively high air and
694 ice temperatures that are maintained in laboratories to prevent fast growth of ice influence E , σ , r_f and slush production.
695 All the above-mentioned effects confirm the importance of full-scale tests for the estimates of energy dissipation caused
696 by floe-floe interactions in sea ice. In addition, the limited dimensions of a water tank may influence residual water
697 currents and ice floe motion in a laboratory experiment.

698 6 Conclusions

699 Various mechanisms of energy dissipation and floe dynamics around a colliding full-scale ice floe have been investigated
700 experimentally in an Arctic environment, and the paper presents much needed direct turbulence measurements. Relative
701 water-ice motion was induced by towing the floe in an artificially made pool in the fast ice, back and forth in an
702 oscillatory manner so that collisions with the fast ice occurred. The features of the constructed setup are similar to
703 some processes that may occur in a dense field of small-sized ice floes when acted upon by long period ocean swell
704 typically found in the MIZ. Extensive instrumentation, i.e., a load cell, a range meter, accelerometers, an IMU, an ADV,

705 a high-resolution ADCP and an ROV, allowed for detailed surveillance of the towing load, floe motion and kinematics
706 of the surrounding water. The average rate of input energy to the system, found from the towing load and the floe
707 translational velocity in the axial direction, was 32.2 W.

708 Turbulence was generated from the relative water-ice velocity, comprising turbulent friction on the underside of the
709 ice and the wake behind the floe, and from the downward water jets and upward suction motion associated with the
710 collision events. The latter phenomenon was visualized with a new technique with rising bubbles and an ROV as
711 tracers and camera, respectively. The large dispersion of the estimated TKE dissipation rate as a function of the ADCP
712 location shows that the turbulent flow was not homogeneous. Turbulent kinetic energy frequency spectra were found to
713 contain an inertial subrange where energy was cascading at a rate proportional to $f^{-5/3}$, according to Kolmogorov's
714 theory. From spectral analysis, the total TKE rate due to the floe motion was estimated to be $11.9 \text{ W} \pm 64.6\%$, which
715 corresponds to $36.9\% \pm 23.7\%$ of the input energy rate. The dominating mechanism for wave energy dissipation in ice
716 floe fields is still debated. Despite of uncertainties, these results indicate that a substantial portion of the attenuated wave
717 energy may be dissipated in turbulence. From the accelerometer data, energy absorption due to collisions was calculated
718 as the change in the kinetic energy of the floe immediately before and after the collision events. The estimated rate of
719 energy loss in this process was 2.4 W, i.e., 7.5% of the input energy rate, which was attributed to elastic ice deformation
720 and slush production.

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726 performing the experiments.

727 **Author declarations**

728 The authors have no conflicts to disclose.

729 **Data availability**

730 The data that support the findings of this study are available from the corresponding author upon reasonable request.

731 **A Instrument synchronization**

732 It was necessary to synchronize the range meter and load cell time series in the post processing in order to calculate the
733 winch power applied on the ice floe. The synchronization scheme described herein applies for the instruments marked

734 with diamonds in Table 2. As mentioned in Sec. 2.1, the range meter was sampled in correct UTC time in the first place.
 735 The load cell and the accelerometers were connected to the same data acquisition unit and therefore synchronized,
 736 but the computer clock was incorrect. The data were first re-sampled to a common sampling rate of 1 kHz. From the
 737 uniaxial accelerometer time series, distinct peaks were recognized at the instance of impact, as elaborated in Sec. 4.2.
 738 The IMU, which sampled in correct GPS time, produced the same peaks in the time series. Hence, the correct UTC
 739 time of the first impact in Exp. 3 was found from the IMU time series. Finally, the acceleration and load cell time series
 740 were shifted to coincide with this instance.

741 **B Ice floe kinetic energy**

742 The kinetic energy of surge motion of the ice floe $K_{s,0}$, where the added mass effect is neglected, is $K_{s,0} = mv_{f,x}^2/2$.
 743 From Fig. 6, it is clear that the surge velocity is a periodic function with amplitude V_{max} and period T_s , so $v_{f,x}$ is
 744 approximated as $v_{f,x} \approx V_{max} \sin(\omega_s t)$, where $\omega_s = 2\pi/T_s$ is the angular frequency of the surge motion and t is the
 745 time. The mean kinetic energy of surge motion averaged over the surge period is estimated as

$$\langle K_{s,0} \rangle \approx \frac{\int_0^{T_s} mV_{max}^2 \sin^2(\omega_s t) dt}{2T_s} = 60.8 \text{ J}, \quad (\text{B1})$$

746 where the values $m = 10800 \text{ kg}$, $V_{max} = 0.15 \text{ ms}^{-1}$ and $T_s = 26 \text{ s}$ are inserted. When the added mass is included,
 747 the kinetic energy of surge motion is K_s , where $K_s > K_{s,0}$. However, the difference between K_s and $K_{s,0}$ is assumed
 748 to be small since the added mass in the axial direction is small compared to the floe mass. The average power of the
 749 surge motion P_s is approximated as $P_s \approx \langle K_{s,0} \rangle / T_s = 2.3 \text{ W}$.

750 In Sec. 2.1, it was stated that the motion in the vertical modes was negligible compared with the horizontal modes. This
 751 is illustrated in Fig. 15, where the surge amplitudes are much greater than the heave amplitudes. Note that the surge
 752 periods T_s are around 26 s and the heave periods T_h are around 2 s, which agrees with the uniaxial accelerometers
 753 in the lower panel of Fig. 3 and the frequency of natural oscillations in the vertical direction f_h that was theoretically
 754 estimated in Sec. 5. The heave amplitudes A_h are in the order of 1 cm. The mean kinetic energy of heave motion
 755 averaged over the heave period is estimated as

$$E_h \approx m \left(1 + \frac{m_{ad}}{m} \right) \frac{(\omega_h A_h)^2}{4} = 3.0 \text{ J}, \quad (\text{B2})$$

756 where the values $m = 10800 \text{ kg}$, $m_{ad} = 2955 \text{ kg}$ (added mass in the vertical direction), $\omega_h = 2\pi f_h = 2.95 \text{ rads}^{-1}$
 757 (angular frequency of the surge motion) and $A_h = 1 \text{ cm}$ are inserted. The average power of the heave motion P_h is
 758 approximated as $P_h \approx E_h / T_s = 0.1 \text{ W}$.

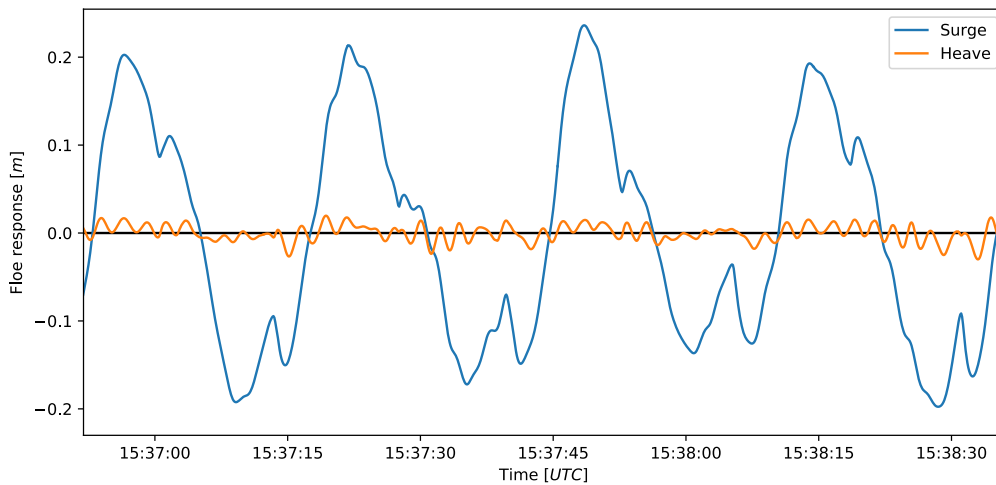


Figure 15: Surge and heave response of the ice floe in Exp. 3.

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